## Approach to insect wing shape and deformation field measurement

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- 8 Key words:
- 9 insect flight, wing flexibility, wing shape, wing deformation, laser triangulation, image
- 10 matching

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# **Summary Statement**

- 13 A fine shape and deformation field measurement of insect wing is achieved by a
- 14 self-developed setup. This measurement could foster investigation of insect wing
- 15 stiffness distribution.

## 17 Abstract

- 18 For measuring the shape and deformation of insect wing, a scanning setup adopting line
- 19 laser and coaxial LED light is developed. Wing shape can be directly acquired from the
- 20 line laser images by triangulation. Yet the wing deformation field can also be obtained
- 21 by a self-devised algorithm that processes the images from line laser and coaxial LED
- 22 simultaneously. During the experiment, three wing samples from termite and mosquito
- 23 under concentrated force are scanned. The venation and corrugation could be
- 24 significantly identified from shape measurement result. The deformation field is
- 25 sufficiently accurate to demonstrate its variation from wing base to tip. The load
- 26 conditions in experiments are also be discussed. For softer wings, local deformation is
- 27 apparent if pinhead is employed to impose force. The similarity analysis is better than 5%
- 28 deformation ratio as a static criterion, if the wing is simplified as a cantilever beam.
- 29 The setup is proved to be effective and versatile. The shape and deformation fields
- 30 would give enough details for the measurement of wing stiffness distribution.

31 Introduction 32 Insect wings undergo complex and even large deformation when propelling insects into the air (Wootton, 1990). The insect wing deformation in flight affects flight control and 34 lift generation on a big scale. The understanding of wing deformation in flight could 35 dramatically foster the design of flexible wing for flapping wing micro air vehicle 36 (FWMAV) in engineering circles. The FWMAV has considerable advantages than 37 traditional micro air vehicle in size, survivability and controllability. Several FWMAVs 38 inspired by insects prove to be promising, including the Micromechanical Flying Insect 39 (Fearing, 2004; Yan et al., 2001), DelFly (de Croon et al., 2009; de Croon et al., 2012; 40 Lentink et al., 2007) and Harvard Microrobotic Fly (Ma et al., 2013). Remarkable 41 progress of the FMAV has been achieved on energetics (Karpelson et al., 2010), 42 actuation (Wood et al., 2005) and aerodynamics (Deng et al., 2014; Nakata et al., 2011; 43 Wilkins and Knowles, 2009). Yet the flight performance of FWMAV can hardly match 44 with that of the insects. 45 46 The wing deformation in flight is determined by both load that wing carries and the 47 wing stiffness. The load could be roughly categorized as aerodynamic force and 48 inertial-elastic force(Daniel and Combes, 2002). Both these two forces have proved to 49 be crucial factors for the instantaneous shape of the wing(Ellington, 1984; Ennos, 1988; 50 Ennos, 1989; Wilkin and Williams, 1993; Zanker and Gotz, 1990). The wing stiffness 51 distribution is complicated because the wing is a passive structure mainly composed of 52 veins and membranes (Wootton, 1992) and with no internal muscles inside (Mengesha 53 54 et al., 2011). Although several researches focusing on measuring flexural stiffness distribution of insect wing have been done (Combes and Daniel, 2003; Ganguli et al., 55 2010; Lehmann et al., 2011; Mengesha et al., 2011), the wing is simplified as a 56 one-dimensional beam in these researches, thus the spatial flexural stiffness distribution 57 was not measured precisely. To acquire fine spatial flexural stiffness distribution 58 requires an accurate deformation measurement first. Meanwhile, an exact shape 59 measurement of the wing is the first step in the quest of a precise deformation 60

measurement.

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Several accurate methods have been adopted in measuring insect wing shape, including 63 interferometry, micro CT and laser triangulation. Based on laser interferometry method, 64 a three-dimensional shape measurement system was designed to measure surface 65 roughness of mosquito Culicidae wing (Sudo et al., 2005; Sudo et al., 2000). The 66 measurement accuracy could reach submicron. The dragonfly Anisoptera wing shape 67 was investigated via micro CT (Jongerius and Lentink, 2010). The scanning resolution 68 is 7.2 µm. Thickness and shape measurement (TSM) method was devised to measure 69 thickness and shape of dragonfly *Anisoptera* wing simultaneously (Zeng et al., 1996). 70 The TSM method is composed of heterodyne interferometry and laser triangulation. 71 The error of their measurement is within 1.8%. Although these researches could obtain 72 73 fine shape information, none of them has given a point to point matching deformation field. 74

76 In the current paper, the laser stripe triangulation and image matching are employed to

77 measure the shape and deformation of the insect wing under concentrated force. A

78 setup, based on triangulation, is designed and fabricated to achieve the measurement.

79 By light stripe center extraction and image matching, the wing shape and deformation

80 field could be obtained.

#### **Materials and Methods**

83 Study specimens

84 The tested wing specimens are wings from formosan subterranean termite *Coptotermes* 

85 formosanus and two kinds of mosquito Culicidae. These two Culicidae are not

86 identified the exact species due to limitation of sampling. In this article, the two

87 Culicidae are written as Culicidae 1 and Culicidae 2 in short. All these insects are

88 collected in local garden in summer. They are common flying insects in the vicinity.

89 These wings are chosen for the significant difference in size or venation.

Triangulation and setup 91 Laser strip triangulation and grayscale square centroid method are used in the wing 92 shape measurement. Triangulation is based on trigonometry. It is highly flexible, it can 93 measure large object like the seafloor roughness (Wang and Tang, 2009) and small 94 object like nano-composite ceramic coatings (Portinha et al., 2003). In this research, 95 laser stripe triangulation is adopted for its robustness and versatility. 96 97 Based on triangulation, a setup has been designed for the measurement. The setup is 98 mainly composed of camera, lens, coaxial LED, line laser, linear guide for samples, 99 motion stage and microforce sensing probe. The coaxial LED light and line laser are all 100 in 405nm wavelength. The coaxial LED illuminates wing sample at right angle, while 101 the line laser lightens it with an incidence angle about 45°. The linear guide could drive 102 the whole wing sample pass through the measurement region step by step. A 103 microforce sensing probe on the adjustable motion stage could impose a precise 104 concentrated force to the wing sample. Fig. 1 shows the measurement setup. 105 106 During the experiment, the wing fixed on the setup would be scanned twice. In the first 107 scanning, the wing sample, receiving no concentrated force, would be scanned step by 108 109 step under the illumination of coaxial LED and line laser alternately till the end of the whole wing. Before the second scanning, the microforce sensing probe would carefully 110 impose a very small concentrate force on the wing sample surface. As a result, the wing 111 would have a very small deformation. Then the wing would be scanned again like the 112 first scanning. 113 114 The setup should be accurately calibrated before measurement. The primary calibration 115 parameters include physical sizes per pixel in each direction, laser stripe width and its 116 incidence angle. A machine vision chessboard, a low reflection flat plate and a 117 self-developed 3D step-shaped plate are used to determine the calibration parameters 118 above. Physical sizes per pixel in each direction and laser incidence angle can be 119 calculated by scanning the chessboard and 3D step-shaped plate. The laser stripe width 120

can be obtained by measuring the laser strip on the low reflection flat plate. 121

Shape measurement

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While the laser illuminates the wing, the image with an irregular light strip could be 124 recorded. By processing this image, three-dimensional coordinates of a series points on 125 the wing can be calculated. Therefore, the cloud points of the whole wing sample can 126 be built if enough images for different wing parts are collected and processed. In the 127 light strip processing, the grayscale centroid method is applied because it could provide 128 a high quality result. Assuming that  $(cX_i, cY_i)$  is the strip center position in pixel at the 129 row *j* on the image, it could be calculated as: 130

$$cX_{j} = j cY_{j} = \frac{\sum_{k=1}^{N} I_{k,j}^{m} k}{\sum_{k=1}^{N} I_{k,j}^{m}}, (1)$$

In Eqn.1,  $I_{k,j}$  is the grayscale of the pixel on image position (k,j). m is the grayscale 132 power weight factor and its value is 2 here. N is the row size of image. If  $(cX_i, cY_i)$  of 133 each row j is ready, its three-dimensional coordinates can be derived from the 134 calibration results. The generation of NURBS surface from cloud points is a 135 standardized procedure and would not be described here. 136

Deformation measurement 138

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The key of deformation measurement is to find the matching positions of the points 139 before and after deformation. A combination of triangulation and image matching 140 141

method is employed here. Triangulation could provide coordinate of each point and

image matching could find its corresponding matching point after deformation. 142

Only triangulation cannot provide the correct matching relationship during the 144 deformation measurement. The points lighten by laser before deformation will not be 145 lightened again on the same step after deformation. In fact, the real matching point 146 would be lightened by laser on another step after deformation, so its position cannot be 147

obtained only by triangulation if the matching step is uncertain. The images illuminated 148 by LED are gray images which can give the wing surface details around laser strip on 149 the same step, thus the real matching point can be found by using SIFT algorithm to 150 analyze these gray images. 151 152 Fig. 2 illustrates the positions of matching points.  $A_0$  is a point lightened by laser in step 153 i before deformation.  $A_2$  is the point lightened by laser in the same step after 154 deformation. According to analysis above,  $A_2$  is not the matching point of  $A_0$ . The 155 matching points for gray images are both  $A_i$  in step i and  $A^*$  in another step j.  $A_i$  is the 156 final right matching point for deformation calculation but it is not lightened by laser in 157 step i. Fortunately, the position of  $A^*$  could be calculated by triangulation and from  $A^*$ 158 to  $A_I$  only has a calculable rigid displacement. Finally the position of matching point in 159 same step  $A_1$  could be easily derived from  $A^*$ . 160 161 162 **Results** Setup 163 The main components of the setup are camera, lens, linear guide and microforce 164 sensing probe. The adopted camera, MVUB500M, is an industrial camera. 165 MML08-ST170D is employed as the lens. KR20, by THK Co., Ltd., is chosen as the 166 linear guide for its high accuracy. FT-S1000 is used as the microforce sensing probe. 167 168 Calibration 169 Calibrations for physical sizes per pixel and light stripe width are similar to other 170 triangulation calibration methods. To determine the incidence angle, a step-shaped 171 template is designed and fabricated. The template is a slim bar with four steps. The step 172 height is 0.05 mm. In the experiment, when the laser scans the template, there emerges 173 a convex on laser image. The convex height represents displacement caused by step 174 175 height. The incidence angle could be calculated from step height and convex height. Table 1 shows the calibration result. 176

178 Shape measurement Wings from formosan subterranean termite Coptotermes formosanus and two kinds of 179 mosquito Culicidae are chosen as the wing samples. These wing samples are different 180 in shape and size. The wing lengths of Coptotermes formosanus, Culicidae 1, Culicidae 181 2 are about 13 mm, 11 mm and 3 mm respectively. Wings from dead body are scanned 182 for their stability of mechanical property. Fig. 3A-C is the wing sample photograph. 183 184 During the experiment, the wing with a rod is fixed on the sample holder of scanning 185 system, then it is scanned twice. In the first scanning, both LED and line laser are used 186 to scan the samples. The scanning step length is 0.01 mm. Before the second time 187 188 scanning, the microforce sensing probe imposes a concentrated force to wing tip area. The white rings in Fig. 3D-F represent force position and probe size. The force position 189 190 is near leading edge tip for Culicidae 2 wing and near to trailing edge for Coptotermes formosanus and Culicidae 1 wings. The force is not measured but the wing deformation 191 due to this force is limited to a small scale. After two times scanning, the wing shape 192 193 and its deformation can be obtained by using methods above. Sometimes, the wing cannot be perfectly scanned due to the reflecting characteristics of the wing. For 194 Coptotermes formosanus and Culicidae 2 wing samples here, wing base reflection is 195 196 too strong to extract the accurate center, thus the wing base is not shown in the result. 197 Fig. 3G-I shows the wing shape contour and NURBS surface from the first scanning. 198 Significant vein patterns and shape characteristics could be observed. The *Coptotermes* 199 formosanus wing tip is sunken near trailing edge. The wing of Culicidae 1 is flat. The 200 trailing edge of Culicidae 2 wing is arched. The membrane would undergo wrinkling 201 during natural dehydration, but the spatial distribution of vein is clear enough in the 202 203 result. 204 205 Deformation measurement Fig. 4-6 summarizes the deformation distribution for all wing samples. Both the 206 deformation contour and deformation profiles along spanwise and chordwise are shown. 207

The origin of the coordinate system locates near wing base. The x axis is along 208 spanwise from root to tip while y axis points from leading to trailing edge. The 209 deformation is filtered by wavelet filter. The matching point correlation coefficient 210 distribution for its displacement calculation is also filtered and outlined. It is a useful 211 value to identify the accuracy of deformation measurement. The correlation coefficient 212 213 is high enough (few less than 0.75) for all wing samples, so the deformation measurement is fine. The root and tip are also dropped in correlation and deformation 214 215 calculation for the same reflection influence. 216 The deformation fields indicate that the wing can be considered as a cantilever beam 217 with bending and torsion under the concentrated force. According to the results, the 218 small deformation condition is still valid, and the samples are in elastic status, but the 219 220 deformation is more complex than a one dimensional simple beam. 221 For Coptotermes formosanus wing in Fig. 4, the maximum deformation value can be 222 223 found near the probe contact area, the amount of deformation is about 0.30 mm, thus the deformation ratio is about 2.3%. Two additional high deformation zones near 224 trailing edge can also be specified, where the deformation values are over 0.11 mm. 225 226 The deformations on rest areas are mostly under 0.10 mm. The zones with deformation over 0.15 mm are all concentrated in the region of probe position. 227 228 Fig. 4A shows the deformation near leading edge. Before 60% spanwise length on 229 Section A, the amount of deformation is just 0.05 mm and almost no increase .Near the 230 wing tip on Section A, the deformation mildly increases to 0.1 mm. While the 231 deformation near trailing edge (Fig. 4B) varies intensively. From wing base to tip along 232 the Section B, the deformation value goes down to zero from 0.11 mm and then 233 increases to 0.28 mm. The deformation near wing base (Fig. 4C) changes gradually, 234 235 and has peak value at about 0.13 mm near trailing edge. The deformation near load position (Fig. 4D) emerges an obvious at peak about 0.15 mm in the middle because it 236 is nearly cross over the probe zone.

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For Culicidae 1 wing in Fig. 5, the spanwise deformation trend increases gradually. There is no significant different between spanwise deformation near leading edge (Section A) and that near trailing edge (Section B). As chordwise deformation near wing base (Section C) is small and flat, torsion contributes little to the whole deformation. The maximum deformation value of Culicidae 1 wing is about 0.30 mm, so the deformation ratio is about 2.7%. The peak deformation near leading edge (Fig. 5A) is around 0.22 mm, with no flat or decrease from wing base to tip. Correspondingly, the peak is about 0.29 mm near trailing edge (Fig. 5B). The deformation near wing base (Fig. 5C) has no obvious peak and the value is below 0.05 mm, while on profile near load position (Fig. 5D), there is a small peak value at about 0.16 mm. The Culicidae 1 wing deformation is more regular than Coptotermes formosanus wing despite they have similar load condition. As shown in Fig. 6, the maximum deformation value of *Culicidae 2* wing is about 0.1 mm, the deformation ratio is still just about 3.3% even wing size is only 3.0 mm. Similar to the Coptotermes formosanus wing deformation, the zone with greater deformation is in the same region of the probe position. Different with Coptotermes formosanus wing deformation, Culicidae 2 wing only has one high deformation zone. Fig. 6A-D shows the deformation profiles of Culicidae 2 along sections A-D. The peak deformation near leading edge (Section A) is around 0.07 mm. The deformation trend resembles section A of *Culicidae 1* wing, but with more volatility from wing base to tip. The deformation variation near trailing edge (Section B) is similar with that near leading edge (Section A), but the peak value is 50% lower because section A is closer to the probe zone. The deformation near wing base (Section C) is similar to the section C of Culicidae 1 wing as well, and its peak value is about 0.05 mm at trailing edge point. The deformation near load position (Section D) has a peak value at about 0.1 mm in the middle because it locates in the probe zone center. From the section comparison, it is clear that *Culicidae 2* wing deformation is more like that of *Culicidae 1* wing although there is concentrated deformation near the probe zone.

#### Discussion

Insect wing shape and deformation measurement method presented in this article has been proved. The scanning can provide fine shape and deformation results for wings with from spanwise length (3 mm) to large one (13 mm). The uneven shape and vein pattern could be observed clearly. The wing deformation could be found precisely. It has been confirmed that the illumination by 405nm wavelength light is suitable for insect wing scanning, despite the images near the wing base is still imperfect. In fact, not like single or multiple point measurement before, it is a practical and convenient way to obtain deformation field. Therefore, it provides us a possibility to analyze the stiffness distribution more precisely by using methods like finite element analysis to matching the deformation field result.

By comparing the wing deformation results of Coptotermes formosanus and Culicidae 1, it could be found that the load condition should be carefully chosen. There are two typical loading methods for insect wing deformation and stiffness research, one is using a pinhead to impose a concentrated force on the wing surface(Combes and Daniel, 2003), and the other is using a knife edge to impose line load and restrict torsion in the wing bending(Ganguli et al., 2010). Coptotermes formosanus wing is relatively softer than Culicidae 1 wing due to its material and structure, so it has a large deformation zone at the position of the probe. The Culicidae 1 wing sample has almost the same spanwise length, aspect ratio, and it is also under the same load condition (0.3 mm maximum deformation), but its deformation is not concentrated. Thus if softer wing has been investigated, pinhead loading may results in local deformation. Correspondingly, for more rigid wing like Culicidae 1 wing, both pinhead and knife edge loading may not induce any local deformation when small deformation assumption is satisfied. The deformation field is a valuable tool for checking whether the load condition is suitable 

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By comparing the wing deformation measurement results of *Culicidae 1 and Culicidae*2, it could also be found that the load condition should be carefully chosen. The

deformation changing trend and vein structure of *Culicidae 1* wing are basically similar

with those of *Culicidae 2* wing sample. The mainly difference is that *Culicidae 2* wing

sample shows concentrated deformation. The difference is determined primarily by the

load condition. Here a model of one dimensional cantilever beam with concentrated

force at free end and similarity analysis are employed to explain this phenomenon.

307 First of all, an equation of slope for cantilever beam can be given as below:

$$\theta = \frac{PL^2}{2EI}, (2)$$

Where, P is the concentrated force, L is the beam length, I is the moment of inertia, and E is Young's Modulus. If the wings of *Culicidae 1* and *Culicidae 2* have similar deformation distribution, they should have same slope value, so that:

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$$\frac{P_1 L_1^2}{2E_1 I_1} = \frac{P_2 L_2^2}{2E_2 I_2}, (3)$$

In Eqn. 3, the variables with suffix '1' refer to *Culicidae 1* wing and the variables with suffix'2' refer to *Culicidae 2 wing*. The maximum deflection of such a cantilever beam can also be directly given as below:

$$W = \frac{PL^3}{3EI}, (4)$$

The maximum deflection of both *Culicidae 1* wing and *Culicidae 2* wing can be solved by Eqn. 4. The maximum deflection ratio between these two wings is derived as:

$$\frac{W_1}{L_1} = \frac{W_2}{L_2} , (5)$$

The meaning of Eqn. 5 is quite simple: only if wings have the same deformation ratio, they would have similar deformation distribution. In this case, the deformation ratio of *Culicidae 2* wing is a little bigger than that of *Culicidae 1* wing, so it may lead to different distribution. The discussion here is under the assumption that both geometry

and material property are similar. Similarity analysis can be applied to wings of 324 Culicidae 1 and Culicidae 2, as they are both in Diptera order. The Coptotermes 325 formosanus wing has similar deformation ratio as the Culicidae 1 wing, but it doesn't 326 fulfil the similarity requirement because it is in the order of *Isoptera*. Normally, the 327 deformation or stiffness experiments of insect wings use 5% small deformation 328 assumption as the criterion. In fact, it is not enough if a regular deformation is required 329 to satisfy the beam bending model. Similarity analysis should be considered when the 330 load condition is changing. 331 332 Acknowledgements 333 The author would express gratitude to Chengwu Wang and Changqiu Zhou in animal 334 flight group of Chongqing University for their suggestion on image processing 335 336 methods. 337 338 **Competing interests** No competing interests declared 339 340 **Author contributions** 341 Zhen Wei and Duo Yin devised the measurement setup. Zeyu Wang and Duo Yin 342 obtained the insect samples from local garden. Duo Yin and Zeyu Wang performed the 343 experiment and analyzed the experiment results. Duo Yin and Zhen Wei wrote the 344 manuscript. 345 346 **Funding** 347 This work was supported by both National Natural Science Foundations of China 348 (grant No. 11202251) and graduate scientific research and innovation foundation of 349 350 Chongqing, China (Grant No.CYS194) 351

353 None

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Data availability

355 References

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- 432 Tables

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- 433 **Table 1: Calibration result.** Light stripe width, physical sizes per pixel and incidence
- 434 angle are calibrated.

| Light stripe width (μm) | Physical sizes per pixel (mm) | Incidence angle (°) |
|-------------------------|-------------------------------|---------------------|
| 25.6±11                 | 3.53e <sup>-3</sup>           | 43.86               |

### 437 Figures.

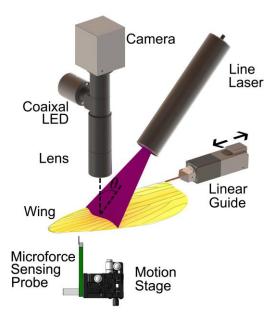


Fig. 1. Measurement setup. Main components of the setup are shown, including camera, line laser, coaxial LED, lens, linear guide, motion stage and mocroforce sensing probe.

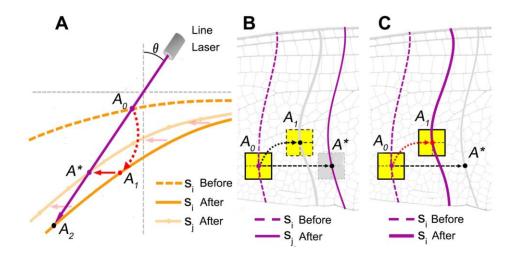


Fig. 2. Matching point acquisition. (A) Relationship of matching points. The d otted and solid orange lines are wing shape in step i before and after deformati on. Solid light orange line is wing shape in another step j after deformation.  $A_0$  and matching point  $A^*$  are on dotted orange line and solid light orange line re spectively.  $A_2$  and matching point  $A_1$  are on solid orange line. (B) Position determination of matching points  $A_0$  and  $A^*$ . Dotted purple line is laser stripe in ste

p i before deformation. The solid purple line is laser stripe in another step j aft er deformation. The blocks in yellow and gray are gray image blocks centered in matching points. (C) Position determination of matching point  $A_0$  and  $A_1$ . The dotted and solid purple lines are laser stripe in step i before and after deformation. The yellow blocks are gray image blocks centered in matching points.

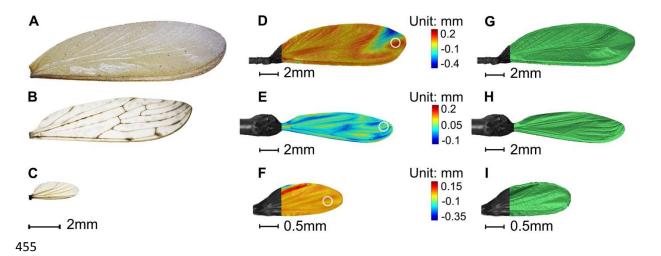
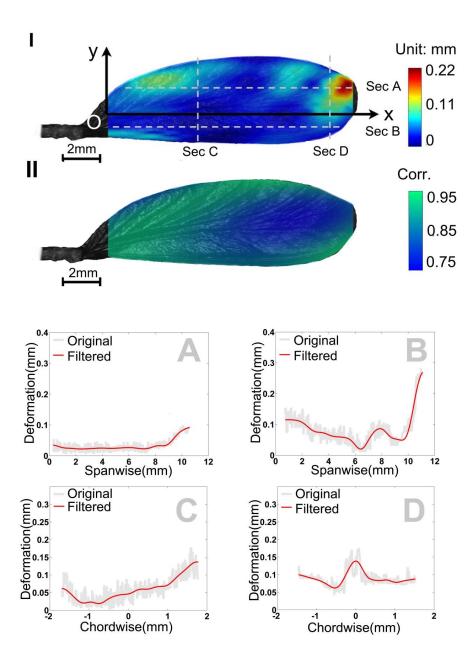
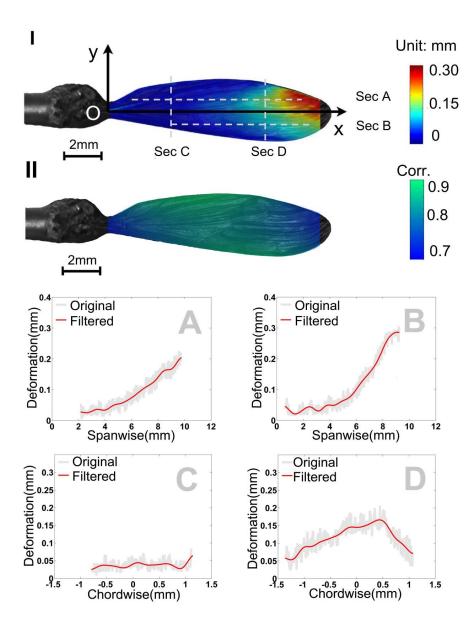


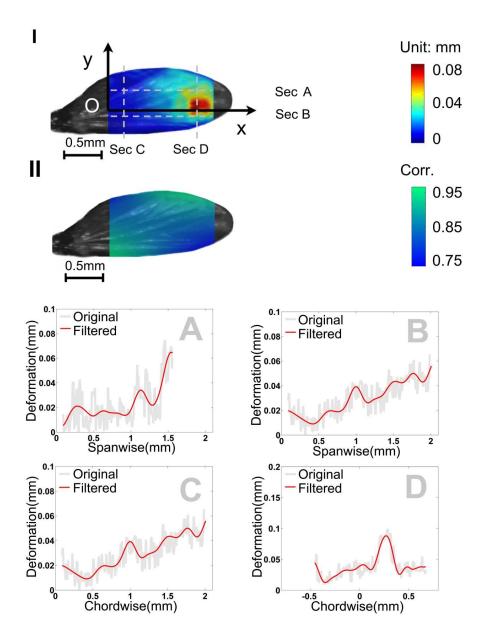
Fig. 3. Real wing shape and measured wing shape. (A-C) Photographs of Coptotermes formosanus, Culicidae 1 and 2 wings. These insect samples are obtained in the local garden. (D-F) Shape contours of Coptotermes formosanus, Culicidae 1 and 2 wings. The contours are superimposed on the corresponding gray images. The white ring represents the probe. Its size and position reflect probe size and load position. (G-I) NURBS surfaces of Coptotermes formosanus, Culicidae 1 and 2 wings. The NURBS surfaces are also superimposed on the gray images.



**Fig. 4.** *Coptotermes formosanus* wing deformation. (I) Deformation contour. The deformation value is wavelet filtered. (II) Correlation coefficient contour. The coefficient value is wavelet filtered. (A-D) Deformation profiles along sections A-D in Fig. 4I. The gray and red lines represent original deformation value and wavelet filtered one respectively.



**Fig. 5.** *Culicidae 1* wing deformation. (I) Deformation contour. The deformation value is wavelet filtered. (II) Correlation coefficient contour. The coefficient value is wavelet filtered. (A-D) Deformation profiles along sections A-D in Fig. 5I. The gray and red lines represent original deformation value and wavelet filtered one respectively.



**Fig. 6.** *Culicidae* **2 wing deformation.** (I) Deformation contour. The deformation value is wavelet filtered. (II) Correlation coefficient contour. The coefficient value is wavelet filtered. (A-D) Deformation profile along sections A-D in Fig. 6I. The gray and red lines represent original deformation value and wavelet filtered one respectively.