

# Dissecting genetic correlation through recombinant perturbations: the role of developmental bias

Haoran Cai<sup>1</sup>, Kerry Geiler-Samerotte<sup>2,3</sup>, David L. Des Marais<sup>1</sup>

<sup>1</sup>Department of Civil and Environmental Engineering, MIT.  
15 Vassar St., Cambridge, MA, 02139 USA

<sup>2</sup>Center for Mechanisms of Evolution, Biodesign Institute, Arizona State University, USA

<sup>3</sup>School of Life Sciences, Arizona State University, USA

# 1 Abstract

2 Despite the tremendous diversity and complexity of life forms, there are certain forms of life  
3 that are never observed. Organisms like angels might not emerge because of developmental  
4 biases that restrict how organisms can evolve, or because they have low fitness in any envi-  
5 ronment yet available on Earth. Given that both developmental bias and selection may create  
6 similar phenotypes, it is difficult to distinguish between the two causes of evolutionary stasis  
7 among related taxa. For example, remarkably invariant traits are observed spanning million  
8 years, such as wing shape in *Drosophila* wherein qualitative differences are rare within genera.  
9 We thus ask whether the absence of combinations of traits, indicated by genetic correlation,  
10 reflects developmental bias limiting the possibility of change. However, much confusion and  
11 controversy remain over definitions of developmental bias and quantifying it is challenging.  
12 We present a novel approach aiming to estimate developmental bias by leveraging a common  
13 but under-utilized type of data: recombinant genetic mapping populations. We reason that  
14 information rendered by such mild perturbations captures inherent interdependencies between  
15 traits – developmental bias. Through empirical analyses, we find that our developmental bias  
16 metric is a strong indicator of genetic correlation stability across conditions. Our framework  
17 presents a feasible way to quantify developmental bias between traits and opens up the pos-  
18 sibility to dissect patterns of genetic correlation.

19 **KEYWORDS:** Pleiotropy; Genetic correlation; Developmental bias; Evolvability

## 20 **Significance Statement**

21 Genetic correlation represents an important class of evolutionary constraint, which are them-  
22 selves evolvable. Empirical studies have found mixed results on whether such evolutionary  
23 constraint changes rapidly or slowly. This uncertainty challenges our ability to predict the  
24 outcome of selection. Here, we propose a framework to dissect genetic correlation in a genetic  
25 mapping population and show that consistency of pleiotropic effects of loci across the genome,  
26 which we termed as developmental bias, is an indicator of genetic correlation stability. Our  
27 novel method empowers readily accessible QTL mapping data to understand complex genetic  
28 architecture underlying pleiotropy, mechanisms causing genetic correlation and, ultimately,  
29 long-term evolutionary divergence.

## 30 Introduction

31 *When the morphology of a species remains virtually unchanged for millions of*  
32 *years, we would like to know whether this reflects developmental constraints limiting*  
33 *the possibility of change or, conversely, the maintenance of uniformity by stabilizing*  
34 *selection.* — Maynard Smith et al. 1985

35 Genetic correlation represents an important class of evolutionary constraints (Maynard Smith  
36 *et al.*, 1985; Clark, 1987), affecting future evolutionary trajectories. Yet, genetic correlations  
37 are themselves evolvable (Doroszuk *et al.*, 2008; Dugand *et al.*, 2021; Delph *et al.*, 2011; Con-  
38 ner, 2002; Uller *et al.*, 2018; Wagner & Altenberg, 1996; Rohner & Berger, 2023; Wagner *et al.*,  
39 2007) and reflect both the past selection of trait combinations and, in some cases, developmen-  
40 tal bias (Dugand *et al.*, 2021; Arnold, 1992). Natural selection may favor certain combinations  
41 of traits and thereby actively maintaining genetic correlation via pleiotropy or linkage dise-  
42 quilibrium. Pleiotropy and linkage disequilibrium (LD) may then further inhibit traits from  
43 evolving independently towards a theoretical phenotypic optimum (Schluter, 1996). On the  
44 other hand, genetic correlation can be shaped by bias due to intrinsic attributes of the or-  
45 ganism, energy, or the laws of physics, relative to the assumption of isotropic variation. This  
46 latter concept has been described as developmental constraint or developmental bias (May-  
47 nard Smith *et al.*, 1985; Arnold, 1992; Cheverud, 1984; Rohner & Berger, 2023), which may  
48 account for the observation that perturbations, such as mutation or environmental variation,  
49 to biological systems will tend to produce some phenotypic variants more readily (Uller *et al.*,  
50 2018; Waddington, 1957). In spite of the numerous studies that address genetic correlation  
51 as an evolutionary constraint, much confusion and controversy remains over definitions of dif-

52 ferent types of constraint, the mechanism(s) causing constraint, and the relative importance  
53 of different mechanisms in shaping evolutionary trajectories (Muir *et al.*, 2022; Conner *et al.*,  
54 2011).

55 The theoretical underpinnings for genetic covariance as an evolutionary constraint are well-  
56 developed (Lande, 1979; Lande & Arnold, 1983). Genetic covariance specifically describes trait  
57 covariance due to pleiotropic alleles, where a single locus has effects on two traits, or due to  
58 linkage disequilibrium of two loci, each of which affects a single trait but are physically so close  
59 that these two traits are strongly associated in populations (Lande, 1980; Lynch *et al.*, 1998;  
60 Falconer *et al.*, 1996; Conner *et al.*, 2004). The genetic information summarized by genetic  
61 covariance is connected to evolutionary processes in complex ways. For example, evolution  
62 toward a phenotypic optimum for two traits may be restricted if selection favors two traits  
63 antagonistically but the traits are positively correlated. That is, adaptive evolution can be  
64 limited if the joint vector of selection is antagonistic to the trait correlations. In some cases,  
65 such evolutionary constraint may persist over long time scales (McGlothlin *et al.*, 2018; Opedal  
66 *et al.*, 2023).

67 Straightforward applications of evolutionary quantitative genetic theory regarding the joint  
68 evolution of a pair of traits generally assume an invariant genetic covariance structure (**G**  
69 matrix) over the time frame of interest. However, the stability of genetic covariances and  
70 how they evolve remain unclear and contentious (Turelli, 1988; Bürger & Lande, 1994; Arnold  
71 *et al.*, 2008; Steppan *et al.*, 2002; Milocco & Salazar-Ciudad, 2022; Loeschke, 1987; Barton &  
72 Turelli, 1989). Empirical studies of the evolution of genetic covariance structure have found  
73 mixed results on whether genetic covariance changes rapidly or slowly. Some comparisons of

74 **G** matrices between natural populations found no evidence of change in **G** (Delahaie *et al.*,  
75 2017; Arnold *et al.*, 2008; Hangartner *et al.*, 2020; Henry & Stinchcombe, 2023), while others  
76 have found changes in genetic covariance in only a few generations, across populations, in  
77 response to selection, or across environmental conditions (Chakrabarty & Schielzeth, 2020;  
78 Milocco & Salazar-Ciudad, 2022; Eroukhmanoff & Svensson, 2011; Walter *et al.*, 2018; Wood  
79 & Brodie III, 2015; Henry & Stinchcombe, 2023; Hudson *et al.*, 2022; Scoville *et al.*, 2009;  
80 Monroe *et al.*, 2021). We might also predict that the genetic covariance among some suites  
81 of traits is stable, while it is unstable for others (Jones *et al.*, 2003). Generally, it is largely  
82 unknown what determines the stability of genetic covariance (Wood & Brodie III, 2015) and  
83 this uncertainty challenges our ability to predict the outcome of selection.

84 The persistence of correlational constraint and whether genetic correlation is a good predictor  
85 of long-term evolutionary divergence ultimately hinge on our understandings of the underlying  
86 mechanism(s) causing genetic correlation (Loeschcke, 1987; Conner *et al.*, 2011, 2004). For  
87 example, genetic correlation due to pleiotropy or tight linkage are much more likely to cause  
88 evolutionary constraint than those caused by linkage disequilibrium between loosely linked  
89 loci (Conner *et al.*, 2011, 2004; Conner, 2002). Correlations due to pleiotropy or tight linkage  
90 may persist in the absence of selection, while correlations caused by linkage disequilibrium  
91 can be changed quickly by recombination and selection (Conner, 2002; Conner *et al.*, 2004,  
92 2011). We here reason that genetic correlation due to developmental bias is more likely to  
93 impose constraint on evolutionary change and may be more persistent than other factors, as  
94 developmental bias may arise due to simple principles of physics or chemistry. Insight into  
95 the role of developmental bias may reveal why genetic correlations between some traits are

96 more constant over a long period as compared to other pairs of traits and why, in some cases,  
97 genetic constraints can be readily degraded by natural or artificial selection. However, formally  
98 discriminating between developmental bias and other mechanisms of genetic correlation is  
99 notoriously difficult (Maynard Smith *et al.*, 1985).

100 Here, we provide an approximate measure of developmental bias by exploiting recombinant  
101 genetic perturbations. We define horizontal pleiotropy to describe a locus that has an effect  
102 on two traits, where such pleiotropic effect deviates from the effects of the other loci across a  
103 genome (Fig. 1 b,d). Conversely, developmental bias between traits describes the observation  
104 of consistent pleiotropic effect of loci throughout the genome on a given trait pair (Fig. 1 a,c).  
105 We use this consistency of pleiotropic effect throughout the genome to indicate developmental  
106 bias,  $r_D$ . We reason that if two traits are correlated because of developmental bias, these two  
107 traits should be correlated regardless of which specific variant causes the effect.

108 Our primary goal in the present work is to dissect genetic correlations to understand to what  
109 degree they are driven by developmental bias vs. horizontal pleiotropy. We do so by using  
110 both numerical simulations and data from a recombinant genetic mapping population. One  
111 key outcome is that we identify loci that demonstrate horizontal pleiotropy. While another  
112 recent method exists for doing so (Geiler-Samerotte *et al.*, 2020), our method is unique in that  
113 it does not require one to study clonal cells and can therefore be applied to a broader range of  
114 organisms. An additional goal of our study is to test our proposition that a genetic constraint  
115 that arises principally from developmental bias is more persistent than one arising from hor-  
116 izontal pleiotropy. When  $r_G$  are driven by numerous small effect size loci, we expect them  
117 to be more representative of inherent relationships, as opposed to when they are driven by

118 individual horizontal pleiotropic loci. In the latter case, any changes or perturbations affecting  
119 that specific loci (e.g., various types of environmental perturbations with QTL-by-environment  
120 effect, allele frequency changes etc.) may easily disrupt the genetic constraint. We find ev-  
121 idence that, indeed, our estimated developmental bias is an indicator of genetic correlation  
122 stability, suggesting that this may allow us to predict change in a genetic correlation over a  
123 long-term period. We also show that genetic correlations are likely driven by developmental  
124 bias with a highly polygenic architecture. Hence, a genetic correlation with a highly poly-  
125 genic architecture may be more stable. In sum, we use readily accessible QTL mapping data  
126 to understand how genetic architecture influences the portion of a given genetic correlation  
127 attributable to developmental bias, to identify loci that act via horizontal pleiotropy, and to  
128 make predictions about how genetic correlations will change. These results suggest that this  
129 type of common data is under-utilized, and that analyzing recombinant populations with our  
130 approach can help to deepen our understandings of genetic correlation.

## 131 **Results**

132 During a genetic association study, each genetic marker is assigned an odds likelihood ratio  
133 along with a effect size for the trait of interest. Instead of identifying statistically significant  
134 loci in such conventional genetic association studies, the essential idea, here, is to examine the  
135 consistency of pleiotropic effects across genetic backgrounds. We here quantify the develop-  
136 mental bias,  $r_D$ , by examining the additive effect of loci for trait pairs throughout the genome.  
137 We define a locus with effects that deviate from the overall bivariate trend throughout the  
138 genome as a horizontal pleiotropic (HP) locus (Fig. 1b). We diagnose  $r_D$  as the consistency



139 of pleiotropy across genetic backgrounds excluding HP loci. In a mapping population, al-  
140 lele substitutions at each locus represent non-directed (i.e., random) perturbations of varying  
141 directions and magnitudes. The additive effect of many loci thus are considered as random  
142 perturbations to an organism. We reason that if the effect size of these perturbations on two  
143 traits are highly correlated (excluding HP loci), the developmental bias between the two traits  
144 is likely to be strong. To better illustrate the framework we propose, the bivariate effect size  
145 distributions under two scenarios are shown (Fig. 1a, b). The locus with a major phenotypic  
146 effect that deviates from the overall trend of other loci throughout the genome is a horizontal  
147 pleiotropic locus. Conversely, the consistency of pleiotropy (i.e., the overall trend of bivariate  
148 effect size distribution) is quantified as developmental bias.

## 149 **Simulation demonstrating relationships between $r_D$ and $r_G$**

150 To examine how the estimated developmental bias – characterized by the effect size correlation  
151 among loci – relates to genetic correlation ( $r_G$ ), we first simulated two thousand trait pairs  
152 for a given simulated population with 500 individual genotypes. For each trait pair, genetic  
153 architecture with 226 loci was generated, with additive effect sizes sampled from a multivariate  
154 Laplace distribution. The genetic values are obtained by multiplying the genotypes with allelic  
155 effect sizes, assuming no epistasis and no linkage disequilibrium.  $r_G$  is calculated by correlating  
156 the genetic values between two traits following standard protocols (Falconer *et al.*, 1996). We  
157 calculated  $r_D$  and corresponding  $r_G$  for each pair of traits. Notably,  $r_G$  is a correlation across  
158 a population of individuals while  $r_D$  is a correlation across a population of loci in a genome.  
159 Therefore, in principle, under a given  $r_D$ , the genetic correlation can vary greatly because of  
160 the changing allele frequency (Fig. S1).

161 There exists considerable debate about regimes of allelic effect sizes and their effects on phe-  
162 notypic evolution: in small steps, via changes of infinitesimally small effect, or in leaps via rare  
163 large effect loci (Orr, 2005). Additionally, classic work suggests that different genetic regimes  
164 may affect the rate of changes of genetic (co)variance (Barton & Turelli, 1987, 1989; Lande,  
165 1979). Therefore, in addition to examining the effects of HP and LD on the relationship be-  
166 tween developmental bias and genetic correlation, we performed these simulations under two  
167 genetic regimes, one with high polygenicity which causes low kurtosis in the distribution of  
168 effect sizes, and one with low polygenicity which causes high kurtosis in the distribution of  
169 effect sizes (Fig. 2).

170 Assuming no horizontal pleiotropy (HP) and linkage disequilibrium (LD), we expect  $r_D$  and  
171  $r_G$  to be equal. As expected, without accounting for HP and LD,  $r_D$  strongly correlates with  
172  $r_G$  regardless of the genetic regimes (Fig. 2b,c). Next, we repeated our simulations under  
173 conditions with HP or LD to understand how these forces would affect the correlations (Fig.  
174 2d,e). Under the HP scenario,  $n$  randomly selected SNPs ( $0 < n < 10$ ) are forced to have an  
175 HP effect, either concordant to or antagonistic with the rest of loci. The genetic correlation  
176  $r_G$  is not perfectly correlated with  $r_D$  under scenarios with HP, especially when the kurtosis of  
177 the effect size distribution is high. In an extreme case, a single large-effect locus can drive the  
178 trait correlation despite the low  $r_D$  (Fig. S2). Collectively, these observations suggest that  $r_D$   
179 and HP loci are two components of  $r_G$ , and that even a single large-effect HP locus can drive  
180  $r_G$  without overall consistency of pleiotropy throughout the genome.

181 To understand how LD affects the relationship between  $r_G$  and  $r_D$ , we also performed simula-  
182 tions using actual recombinant genotypes from a yeast mapping population (Geiler-Samerotte

183 *et al.*, 2020) (Fig. 2f,g). Similarly to our simulations above, we sampled the effect size for each  
184 SNP on each trait from bivariate Laplace distribution with the same  $\gamma$  and then propagated  
185 the effect size for a given SNP by “contaminating” its effect size according to the effect sizes of  
186 the SNPs in LD with it. (This procedure only accounts for weak linkage, See Supplementary  
187 Note 1.) In these simulations, LD appears to affect  $r_G$  with a given effect size correlation even  
188 for cases in which the genetic architecture is highly polygenic (Fig. 2f). These results imply  
189 that LD does not always strengthen  $r_G$ ; LD could also weaken  $r_G$  when, for example the effect  
190 of two loci in LD are antagonistic with the overall trend of pleiotropy across the genome. To  
191 summarize the numerical simulations, LD, HP, and  $r_D$  together shape  $r_G$ . In the absence of  
192 HP and LD,  $r_D$ , we should not expect  $r_D$  to be different from  $r_G$ . Furthermore, the effects of  
193 LD and HP on genetic correlation can become relatively stronger under a more ‘Mendelian’  
194 genetic architecture with lower polygenicity.

## 195 **Identifying horizontal pleiotropic loci and delineating developmental** 196 **bias for yeast morphological traits**

197 We next applied our approach in a yeast morphology dataset, where 374 recombinant strains of  
198 yeast cells were imaged for, on average, 800 fixed, stained cells per strain using high-throughput  
199 microscopy (Geiler-Samerotte *et al.*, 2020). In total, measurements of 167 morphological traits  
200 were acquired. The patterns in this large dataset could offer a empirical picture of how HP  
201 and LD affect effect size correlations and how our approach can distinguish two mechanisms  
202 causing genetic correlation.

203 As described above, we define developmental bias  $r_D$  as the effect size correlation for a subset of

204 variants where outliers (HP loci) are removed. For example, the effect size distribution (exclude  
205 HP loci) for two pair of traits are shown in Fig. 3. The red lines indicate the magnitude of  
206 developmental bias ( $r_D$ ) and the plot on the right is inferred to have a higher developmental  
207 bias. To identify outliers (HP loci), we first calculate the correlation by individual-level product  
208 (Lea *et al.*, 2019) for each trait pair across each locus. Outliers are then identified as the  
209 product falling outside 1.5 times the interquartile range above the upper quartile and below  
210 the lower quartile of the distribution. Since LD can also potentially affect the correlation of  
211 effect size, we conducted LD pruning to subset the variants to remove loci highly correlated  
212 within the population (See Materials and Methods). Therefore, in total, we present the  
213 effect size correlation against  $r_G$  in three settings: Default (using all genotyped variants), LD  
214 corrected, and outlier corrected (i.e.,  $r_D$ ).

215 Fig. 4a presents the distribution of effect size correlations using all genotyped variants, only LD  
216 pruned variants, or outlier-corrected variants ( $r_D$ ). LD does not exert effect on the patterns of  
217 effect size correlation in this dataset (4a, two-sample Kolmogorov-Smirnov test,  $D = 0.017006$ ,  
218  $p\text{-value} = 0.3879$ ), but horizontal pleiotropic loci, which we identified as outliers, appear to  
219 strengthen the effect size correlation (Fig. 4a,b). In principle, an outlier can either weaken or  
220 strengthen the effect size correlation. However, our results suggest a bias towards concordant  
221 effects between outliers and other loci, given that the distribution under the outlier-corrected  
222 setting ( $r_D$ ) has smaller variance (Fig. 4a) and effect size correlation is generally weaker under  
223 the outlier corrected setting (Fig. 4b). Notably, points that deviate more from the unity line  
224 ( $y = x$ ) may represent trait pairs which are more strongly affected by horizontal pleiotropy  
225 (Fig. 4c).

226 To further investigate horizontal pleiotropy (HP), we identified those trait pairs significantly  
227 affected by the outliers (i.e., yellow dots in Fig. 4b). Outlier loci for these trait pairs are likely  
228 indicative of horizontal pleiotropy. Indeed, we confirmed that our method identifies two loci  
229 (L15.9 and L13.7, See Table 1) that presented the strongest evidence of horizontal pleiotropy  
230 in an earlier study which used stronger genetic correlation than within-line environmental  
231 correlation as an indicator (Geiler-Samerotte *et al.*, 2020). Additionally, we found trait pairs  
232 with extremely high effect size correlations lacking evidence of horizontal pleiotropy (Fig. 4a,  
233 b); an example effect size distribution of a trait pair with exceptionally high effect correlation  
234 – possibly reflecting a strong developmental bias between two traits – is shown in Fig. S4.  
235 In summary, we show that horizontally pleiotropic loci may indeed affect  $r_G$  in the absence  
236 of an exceptionally strong developmental bias and that our method can be used to identify  
237 horizontal pleiotropic loci and further delineate  $r_G$ .

238 To assess how effect size correlations under three settings relates to genetic correlations  $r_G$ , we  
239 calculated the effect size correlations between pairwise traits and plotted them against  $r_G$  for  
240 each trait pair (Fig. S3). Under all settings, we find no cases where trait pairs with no  $r_G$  ex-  
241 hibit a strong effect size correlation, as expected. Qualitatively similar results are observed for  
242 an additional *Brassica* dataset with 11 floral, vegetative, and phenology traits (Supplementary  
243 Note 2, Fig. S7). Notably, without LD correction and without removing horizontal pleiotropic  
244 loci as outliers (Fig. S3a), the results here from recombinant perturbations are aligned with a  
245 study using mutational accumulation lines to examine the contribution of mutation to genetic  
246 correlation, in which mutational correlations between traits were found to be overall stronger  
247 than genetic correlations between traits (Dugand *et al.*, 2021). Similarly, in our results, effect

248 size correlations using all variants overall are stronger than genetic correlations (Wilcoxon  
249 signed-rank test, p-value  $< 2.2e-16$ ), with a median absolute value of 0.280 and 0.206, respec-  
250 tively. After removing horizontal pleiotropic loci as outliers, the dots in scatter plot (Fig. S3c)  
251 appears to be more evenly distributed around the unity line. Indeed, after removing HP loci,  
252 there is no significant difference between the distribution of effect size correlations ( $r_D$ ) and  
253 the genetic correlation across trait pairs (Wilcoxon signed-rank test, p-value = 0.8875).

254 Despite that there is no overall difference between the distribution of  $r_D$  and  $r_G$ , our approach  
255 can delineate trait-trait specific mechanisms causing their genetic correlations in empirical  
256 datasets. As shown in Fig. 3, two pairs of traits exhibit a similar and moderately high  
257  $r_G$  but contrasting levels of  $r_D$ , demonstrating how consistency of pleiotropy and estimated  
258 developmental bias  $r_D$  could help us learn the underlying trait-trait specific mechanisms.

### 259 $r_D$ predicts the stability of $r_G$ following environmental perturbations

260 Genetic correlations between traits may alter the evolutionary trajectory of either trait (Schluter,  
261 1996). Predicting the trajectory of trait evolution therefore can depend upon the stability of  
262 genetic correlations (Jones *et al.*, 2003). We reasoned that trait-trait correlations may be  
263 more stable if they are caused by inherent relationships between the traits,  $r_D$ , rather than  
264 horizontal pleiotropy. Thus we expected  $r_D$  to predict the stability of  $r_G$  (Fig. 5a). To test  
265 whether our intuition is correct, we estimated  $r_G$  from a related yeast dataset, which describes  
266 correlations across yeast single-cell morphological features measured in three environments.  
267 Here, the environmental conditions are three concentrations of geldanamycin (GdA), a small-  
268 molecule inhibitor that binds the ATP-binding site of the chaperone Hsp90, thus rendering

269 it unable to perform its cellular function. We plotted absolute  $r_D$  with changes of genetic  
270 correlation ( $r_G$ ) for each pair of traits at the three drug concentrations (Fig. 5). The results  
271 show that, as  $r_D$  becomes greater, the changes of  $r_G$  become smaller.

272 Since  $r_G$  is highly correlated with  $r_D$ , to formally test whether under a given  $r_G$ ,  $r_D$  is infor-  
273 mative in determining changes of  $r_G$  upon environmental perturbations, we conducted multi-  
274 variable linear regression ( $\Delta r_G \sim r_G + r_D$ , all variables are transformed to absolute value).  
275 The regression results (Fig. S5a) demonstrate that conditioning on  $r_G$  of a trait pair,  $r_D$   
276 significantly negatively correlates with the changes of  $r_G$  across three drug concentrations. In  
277 other words, given a set of yeast morphology trait pairs with the same levels of  $r_G$ , the changes  
278 of magnitude of  $r_G$  would be smaller for trait pairs with larger  $r_D$ , on average. Furthermore,  
279 we found that this effect of  $r_D$  is strongest under mild treatment perturbation (here, low con-  
280 centration of geldanamycin) but becomes weaker as the drug concentration becomes higher  
281 and, presumably, more stressful for the cells (Geiler-Samerotte *et al.*, 2016). To account for  
282 the effect of collinearity between  $r_D$  and  $r_G$  (PCC = 0.939) on regression outcomes, we also re-  
283 port, here, null model simulated results (Fig. S5b and Fig. S6). Taken together, these results  
284 indicate that the estimated  $r_D$  may indeed predict the stability of  $r_G$  following environmental  
285 perturbations.

## 286 **Discussions**

287 It has long been recognized that developmental integration is one cause of multivariate ge-  
288 netic constraint (Klingenberg, 2005; Pigliucci & Preston, 2004). On the other hand, genetic  
289 constraint can also reflect correlational selection. However, dissecting the underlying mecha-

290 nism(s) causing genetic correlation is challenging. Here, we exploited a hidden source of data  
291 that has been overlooked to quantify the contribution of developmental bias in creating ge-  
292 netic correlation. Assessing consistency of pleiotropy by measuring the effect size correlation  
293 across many genomic loci provides a possible framework to explore the mechanisms of genetic  
294 correlation. The central messages from our analyses are three-fold.

295 First, developmental bias estimated from recombinant genetic perturbations provides an in-  
296 dicator of genetic correlation stability following environmental perturbations. Our stability  
297 analyses in empirical datasets (Fig. 5, Fig. S5, Fig. S6, Fig. S8, and Fig. S9) suggest that the  
298 higher a developmental bias, the more likely a genetic correlation between two traits remains  
299 stable across environmental conditions. In other words, higher developmental bias leads to  
300 smaller response of genetic correlation to environmental changes. This may provide further  
301 insight into the observations of context-dependencies of environmental effect on  $\mathbf{G}$ -matrices  
302 (Wood & Brodie III, 2015), with certain trait pairs exhibiting more stability while others  
303 showing greater plasticity across conditions.

304 Second, Mendelian genetic architecture for a given trait pair can increase the contribution of  
305 horizontal pleiotropy to genetic correlation (Fig. 2). Under such a scenario, genetic correlation  
306 as a summary statistic can not fully reflect the complex genetic architecture underlying a  
307 genetic correlation. In fact, evidence of discrepancies of effect between genetic background  
308 and major loci abound (Albert *et al.*, 2008; Hall *et al.*, 2006; Scoville *et al.*, 2009; Stinchcombe  
309 *et al.*, 2009). For example, in *Mimulus*, a major QTL contributes a negative covariance between  
310 stigma–anther separation and pollen viability, which is antagonistic to the overall positive  
311 genetic covariance between these two traits (Scoville *et al.*, 2009). Furthermore, previous work



312 suggests that we might expect to see more changes of  $\mathbf{G}$ -matrix during evolution if traits have  
313 an oligogenic genetic basis rather than aligning with the infinitesimal model (Barton & Turelli,  
314 1987, 1989; Lande, 1979). For example, Lande (Lande, 1979) emphasized that trait means  
315 typically change much more rapidly than trait (co)variances. Yet, changes of (co)variances can  
316 be quite rapid if there are underlying loci with large contributions to (co)variation. Similarly,  
317 in our present work, we show that under a infinitesimal model, genetic correlation mainly  
318 arises from developmental bias (Fig. 2) which, as our stability tests suggest, might also be  
319 more stable across conditions (Fig. 5).

320 Third, our method allows us to identify horizontal pleiotropic loci without measuring phe-  
321 notypes across clonal individuals or cells. There is a long-standing interest in identifying  
322 horizontal pleiotropy in nature (Verbanck *et al.*, 2018; Jordan *et al.*, 2019; Bowden *et al.*,  
323 2018). One motivation for doing so is that evolutionary theory predicts that natural selection  
324 should limit horizontal pleiotropy because, as the number of traits that a mutation influences  
325 increases, the probability of the mutation having a positive fitness effect decreases (Zhang &  
326 Wagner, 2013; Orr, 2000; Pavlicev & Wagner, 2012; McGuigan *et al.*, 2014). However, identify-  
327 ing cases of horizontal pleiotropy is difficult because genetic correlations do not always indicate  
328 horizontal pleiotropy. By discovering a way to disentangle the portion of genetic correlation  
329 caused by developmental bias, we have also discovered a novel way to identify candidate loci  
330 that act via horizontal pleiotropy. Our method of identifying horizontal pleiotropy can be  
331 broadly useful because it does not require measuring the trait correlations that are present  
332 across clonal cells. Thus, while previous methods (Geiler-Samerotte *et al.*, 2020) are mainly  
333 useful for organisms that propagated clonally, e.g., microbes, our method can be applied more

334 broadly.

## 335 **Can recombinant mapping population characterize $\mathbf{M}$ matrix?**

336 Numerous past studies used mutation accumulation lines to estimate mutational matrices ( $\mathbf{M}$   
337 matrices) as a means to understand the influence of mutations on shaping genetic correlation  
338 (Dugand *et al.*, 2021; Houle *et al.*, 2017). Dugand *et al.* (2021) discovered a significant similar-  
339 ity between  $\mathbf{G}$  and  $\mathbf{M}$  matrix, suggesting that mutations directly shape  $\mathbf{G}$ . On the other hand,  
340 mutational correlations using mutation accumulation lines consistently exceed genetic corre-  
341 lations in magnitude (Dugand *et al.*, 2021), which is aligned with our findings (Fig. 3c) where  
342 the effect size correlations under default setting are stronger than the genetic correlation  $r_G$ .  
343 This naturally raises several questions related to mutation accumulation lines, recombinant  
344 mutation, and developmental bias: Firstly, to what extent does recombinant reflect the effect  
345 of mutation in a mutational accumulation experiment? There are now increasingly accessible  
346 resources available for recombinant mapping populations, such as the recently developed mul-  
347 tiparent panels and advanced intercross lines (Kover *et al.*, 2009; Gage *et al.*, 2020), offering  
348 a promising avenue to investigate the respective roles of mutation and selection. Secondly,  
349 to what extent do trait covariance patterns due to mutations or environmental perturbations  
350 reflect the developmental bias? A recent study used fluctuating asymmetry of the left and  
351 right sides of the same organism as a measure of developmental bias (Rohner & Berger, 2023).  
352 The left and right sides of the same organism share the same genome and macro-environment  
353 but only differ in their microenvironmental inputs. Therefore, the development may generate  
354 asymmetry (i.e., noise) in morphological traits. The authors showed that developmental bias  
355 quantified using such noise in the dipteran wing predicts its evolution on both short and long

356 evolutionary timescales (Rohner & Berger, 2023), which suggests that those mild perturbations  
357 may generate phenotypic outcomes more representative of developmental bias.

## 358 **The extent of pleiotropy**

359 Pleiotropy describes the phenomenon in which a gene or a mutation affects more than one  
360 phenotypic trait. The concept and nuance of pleiotropy has had a prominent role and broad  
361 implications on genetics, evolution, and medicine (Klingenberg, 2008; Stearns, 2010; Promis-  
362 low, 2004; Williams, 2001; Barton, 1990; He & Zhang, 2006; Otto, 2004; Wagner & Zhang,  
363 2011; Des Marais & Juenger, 2010; Geiler-Samerotte *et al.*, 2020). Conceptually, many pos-  
364 sible scenarios can result in a pleiotropic effect, including mediated pleiotropy (i.e., vertical  
365 pleiotropy), horizontal pleiotropy, and other spurious pleiotropy such as linkage (Wagner &  
366 Zhang, 2011; Solovieff *et al.*, 2013). One major debate on pleiotropy is what is the extent of  
367 pleiotropy: we lack consensus about how pleiotropic natural systems are (Paaby & Rockman,  
368 2013; Zhang & Wagner, 2013). A key challenge is whether the effect of a single locus on cor-  
369 related traits can be counted as pleiotropic effect, for instance, as pointed out by Wagner &  
370 Zhang 2011; e.g., are the depth and the width of a bird beak two characters? Thus, ignoring  
371 trait correlations may bias the estimation of pleiotropy. One possible solution is to consider the  
372 effective number of traits by looking at the eigenvalue variance of the phenotypic correlation  
373 matrix (Wagner & Zhang, 2011; Pavlicev *et al.*, 2009; Wagner *et al.*, 2008): The more dispersed  
374 the eigenvalues, the more interdependency of the traits. However, this approach likely biases  
375 the interdependency estimations of the traits, especially in the presence of major pleiotropic  
376 effect loci. For example, as an extreme case, even a single pleiotropic locus alone can drive  
377 trait correlations in spite of the low consistency of pleiotropy (Fig. S2 and also see (Agrawal

378 *et al.*, 2001)). Hence, in this case, the effective number of traits calculated via the phenotypic  
379 correlation matrix will be overestimated simply because there is a major effective pleiotropic  
380 locus – this does not necessarily mean two traits are inherently interrelated. Similarly, the  
381 bias is present if there is a major antagonistic loci against overall correlation of effect size.  
382 Instead, our analyses demonstrated that the consistency of effect sizes may provide a more  
383 appropriate way to measure inherent trait correlation and hence effective trait dimensions.

## 384 **Materials and Methods**

385 Sophisticated tools in the field of quantitative genetics have been developed to identify genetic  
386 loci which statistically explain phenotypic variance in quantitative traits to regions of chromo-  
387 somes, so-called quantitative trait loci (QTLs). One of the fundamental metrics of quantitative  
388 genetics is the additive effect of a QTL, which represents the change in the average phenotype  
389 produced by substituting one allele for another (Lynch *et al.*, 1998; Falconer *et al.*, 1996). To  
390 better illustrate what we could exploit through the additive effect distribution, bivariate effect  
391 size distribution under two scenarios are shown (Fig. 1a,b), where both of two pairs of traits  
392 are affected by a major pleiotropic locus. In contrast, the consistency of pleiotropic effect  
393 throughout genome is different. This illustrative example may be extreme, but it implies that  
394 only analyzing the summary statistics such as genetic correlation or statistically significant  
395 loci in a genetic association study may lose information behind the genetic architecture. Such  
396 hidden information could be valuable when assessing the strength of developmental bias  $r_D$ :  
397 If two traits are correlated because of developmental or physiological constraint, these two  
398 traits should be correlated regardless of which specific variant is causing the effect. i.e., there

399 is consistency of the pleiotropic effect across genetic background (Fig. 1a). On the other  
400 hand, if two traits are genetically correlated simply because of several major pleiotropic loci  
401 for a given population, those small loci can have inconsistent effect between traits (Fig. 1b).  
402 We term such consistency of pleiotropy as developmental bias  $r_D$  and those loci with effect  
403 deviated from overall trend throughout the genome as horizontal pleiotropic (HP) loci.

404 Our conceptualization of developmental bias is similar to the definition of vertical pleiotropy or  
405 mediated pleiotropy Geiler-Samerotte *et al.* (2020). Indeed, the high consistency of pleiotropic  
406 effect implies vertical or mediated pleiotropic nature of loci. Yet, we here define the devel-  
407 opmental bias as a trait-level metric, whereas the vertical or mediated pleiotropy most often  
408 refers to the effects of variants on traits. In vertical pleiotropy, the traits themselves are bi-  
409 ologically related, such that a variant's effect on trait A inevitably causes the effect on trait  
410 B. Likewise, horizontal pleiotropy is defined as a variant or mutation causing an effect on two  
411 traits that are otherwise independent. Another distinction between developmental bias and  
412 vertical pleiotropy is that vertical pleiotropy frequently refers to a part of causal cascade, as  
413 exemplified by low-density lipoprotein (LDL) cholesterol levels causing the risk of heart disease  
414 (Geiler-Samerotte *et al.*, 2020). Developmental bias, on the other hand, depicts the correla-  
415 tional structure among traits since many traits (e.g., morphological traits) do not necessarily  
416 exhibit direct causal relationships. We thus apply the term vertical pleiotropy to variants that  
417 share the effect for inherently related traits without considering the causal direction.

## 418 Numerical simulations

419 To simulate multiple pairs of traits within a population, first genotypes were simulated through  
420 the function *simulateGenotypes* in PhenotypeSimulator (Meyer & Birney, 2018) with 226 SNPs  
421 (mimicking the actual number of loci in an empirical dataset; Geiler-Samerotte *et al.* (2020))  
422 and 500 individuals, where the allele frequencies are either sampled from 0.05, 0.1, 0.2, and 0.5  
423 or constant value 0.3 for a mapping population. For each pair of traits, the additive effect for  
424 each SNP is sampled from a bivariate exponential distribution (bivariate Laplace distribution)  
425 with  $\mu = (0, 0)$  and  $\Sigma = \begin{bmatrix} 1 & \rho \\ \rho & 1 \end{bmatrix}$ .  $\rho$  is drawn from the uniform distribution  $(-1, 1)$ . A shape  
426 parameter  $\gamma$  determines the distribution, where a smaller  $\gamma$  represents genetic architecture  
427 approximating one or a small number of large-effect loci (Mendelian genetic architecture, high  
428 kurtosis for effect size distributions) while a larger  $\gamma$  trends towards a polygenic infinitesimal  
429 model (low kurtosis for effect size distributions). We used  $\gamma$  of 1.0 and 0.5 in Fig. 2 left and  
430 right, respectively. Under horizontal pleiotropy scenario,  $n$  randomly selected SNPs ( $0 < n <$   
431  $10$ ) are forced to have horizontal pleiotropic effect (either concordant to or antagonistic with  
432 the rest of loci). The genetic correlation,  $r_G$ , between traits  $M$  and  $N$  was calculated as the  
433 Pearson correlation  $\rho_{(X\beta_{[M]}^T, X\beta_{[N]}^T)}$ , where  $\beta_{[M]}$  and  $\beta_{[N]}$  represents the effect size for trait  $M$   
434 and trait  $N$  across genome, and  $X\beta_{[M]}^T$  and  $X\beta_{[N]}^T$  represent the genotypic values of trait  $M$   
435 and trait  $N$ , respectively. The developmental bias,  $r_D$ , is calculated as the Pearson correlation  
436 coefficient of effect size for traits  $M$  and  $N$ , where summations are taken over all loci except  
437 those assigned as horizontal pleiotropic SNPs ( $n$  loci):

$$D_{\beta_{[M,N]}} = \frac{\text{cov}(\beta_{[M]}, \beta_{[N]})}{\sigma_{\beta_{[M]}} \sigma_{\beta_{[N]}}} = \frac{n \sum \beta_{i[M]} \beta_{i[N]} - \sum \beta_{i[M]} \sum \beta_{i[N]}}{\sqrt{n \sum \beta_{i[M]}^2 - (\sum \beta_{i[M]})^2} \sqrt{n \sum \beta_{i[N]}^2 - (\sum \beta_{i[N]})^2}} \quad (1)$$

438 To account for linkage disequilibrium (LD), simulating trait pairs with actual genotype infor-  
439 mation, the additive effect size of 226 SNPs are simulate similarly as above except that there  
440 are no horizontal pleiotropic loci. The effect size is then propagated through the LD block  
441 defined by  $r > 0.5$ .

## 442 Dataset retrieval and genetic correlations $r_G$

443 Two empirical datasets were used. The first dataset comprises single cell morphology data for  
444 budding yeast *Saccharomyces cerevisiae* where, for each of 374 recombinant strains of yeast  
445 cells, approximately 800 fixed, stained cells were imaged using high-throughput microscopy  
446 (Geiler-Samerotte *et al.*, 2020). 167 morphological features were estimated, including these  
447 representative examples: cell size, bud size, bud angle. Analysis of the original dataset assessed  
448 both genetic (between-strain) and environment (within-strain) correlation using a multilevel  
449 correlation partitioning method (Bliese, 2013). The authors found that using this approach  
450 to estimate correlations has similar results as compared to a linear mixed model and variance  
451 component analysis. The second dataset contains phenological, floral, and vegetative traits  
452 for a recombinant inbred population of *B. rapa L.* created from a cross between yellow sarson,  
453 R500, and the rapid cycling IMB211 inbred lines (Brock *et al.*, 2010). The QTL mapping was  
454 conducted with 223 markers in 131 individuals (field condition) and 132 individuals (green-  
455 house condition). Eleven phenotypes were included, here, as we excluded branch length in the  
456 field and leaf width in the greenhouse, which were not measured in both conditions. When

457 calculating  $r_D$ , we use either all genome-wide variants or an LD-pruned subset of variants.

458 During LD pruning, we removed within-chromosome QTLs to  $r < 0.5$  for both datasets.

## 459 **Horizontal pleiotropic loci identification and empirical calculation of**

460  $r_D$

461 If we ignore dominance, epistasis, and linkage disequilibrium, and assume two alleles per locus,

462 the covariance components of a  $\mathbf{G}$  matrix can be written as (Kelly, 2009):

$$C_{\alpha[M,N]} = \sum_i 2q_i(1 - q_i)\alpha_{i[M]}\alpha_{i[N]} \quad (2)$$

463 where  $C_{\alpha[M,N]}$  is the additive genetic covariance between trait  $M$  and trait  $N$ .  $q_i$  is the

464 frequency of first allele at loci  $i$  within a given population;  $\alpha_{i[M]}$  and  $\alpha_{i[N]}$  are the additive

465 effects of that allele on trait  $M$  and  $N$ , respectively; summations are taken over all loci.

466 Accordingly, a large effect QTL for trait  $M$  (high  $\alpha_{i[M]}$ ) can make a minor contribution to the

467 genetic covariance structure if allele frequency  $q_i$  is small.

468 We developed an approach to evaluate the horizontal pleiotropy and calculate  $r_D$  empirically.

469 In brief, our method has three components: (a) detection of horizontal pleiotropic loci; (b)

470 calculating  $r_D$  through effect size correlation excluding horizontal pleiotropy; (c) testing pairs

471 with significant difference after outlier removal, identified as horizontal trait pairs.

472 We use the following procedures to identify horizontal pleiotropic loci: first calculate the

473 normalized, demeaned, and element-wise product of outcome for each locus (Steiger, 1980):



$$\frac{(\alpha_{i[M]} - \overline{\alpha_{[M]}})(\alpha_{i[N]} - \overline{\alpha_{[N]}})}{\sigma_{\alpha_{i[M]}}\sigma_{\alpha_{i[N]}}} \quad (3)$$

474 where  $\overline{\alpha_{[M]}}$  and  $\overline{\alpha_{[N]}}$  are the mean genome-wide additive effect size for trait  $M$  and  $N$ , re-  
475 spectively, and  $\sigma_{\alpha_{i[M]}}$  and  $\sigma_{\alpha_{i[N]}}$  are standard deviations of additive effect size for trait  $M$  and  
476  $N$ , respectively. The horizontal pleiotropic loci are defined as loci with the product falling  
477 outside 1.5 times the interquartile range above the upper quartile and below the lower quar-  
478 tile. The Pearson correlation coefficient is equal to the above average element-wise product  
479 of two measured traits. In other words, the outliers of these element-wise products represent  
480 the outliers when calculating the correlation, substantially deviating from the overall trend of  
481 bivariate effect size distribution.

482 Second, developmental bias ( $r_D$ ) is calculated as the Pearson correlation coefficient among the  
483 rest of loci written by:

$$r_{D_{\alpha_{[M,N]}}} = \frac{\text{cov}(\alpha_{[M]}, \alpha_{[N]})}{\sigma_{\alpha_{[M]}}\sigma_{\alpha_{[N]}}} = \frac{n \sum_i \alpha_{i[M]}\alpha_{i[N]} - \sum \alpha_{i[M]} \sum \alpha_{i[N]}}{\sqrt{n \sum \alpha_{i[M]}^2 - (\sum \alpha_{i[M]})^2} \sqrt{n \sum \alpha_{i[N]}^2 - (\sum \alpha_{i[N]})^2}} \quad (4)$$

484 The additive effect size  $\alpha$  estimated empirically from inbred line crosses and experimental  
485 mapping populations is calculated as: for the trait  $M$ ,  $\alpha = \frac{M_{AA} - M_{BB}}{2}$  (Falconer *et al.*, 1996),  
486 where  $A$  and  $B$  are two alleles of a locus. The summations of equation (4) are taken across  
487 all loci (with equal probabilities) excluding major horizontal pleiotropic loci.

488 Finally, to test the significant difference of effect size correlation before and after outlier  
489 removal, we use a cutoff of 1% FDR for all pairs of traits included in the yeast dataset. Those

490 trait pairs significantly deviating from the mean are identified as the horizontal trait pair,  
491 indicating that horizontal pleiotropic loci may contribute to the genetic correlation  $r_G$ .

## 492 **Data Availability**

493 Data and code have been deposited in Github (<https://github.com/haorancai/developmentalbias>)

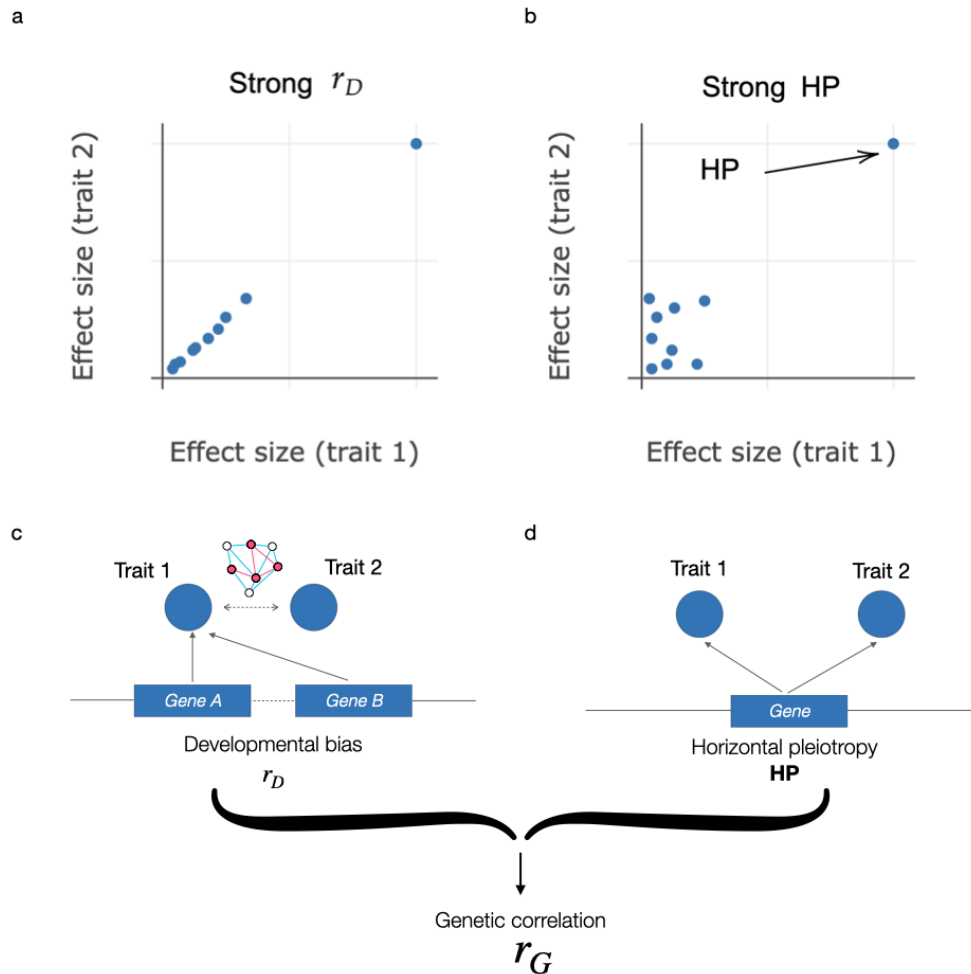


Figure 1: Conceptual framework for distinguishing between developmental bias and horizontal pleiotropy as drivers of genetic correlation ( $r_G$ ) between two traits. **a.** and **b.** Bi-plots showing the correlation of effect sizes of ten genetic loci on hypothetical traits 1 and 2. **a.** Strong developmental bias and low horizontal pleiotropy, as seen by coherent and consistent pleiotropic effect on the two traits across the sampled loci. **b.** One large-effect pleiotropic locus appears to drive the genetic correlation between traits 1 and 2, showing a strong horizontal pleiotropic (HP) effect. **c.** and **d.** Suggest genetic mechanisms for the observed effect correlations in **a** and **b**. **c.** A developmental bias  $r_D$ , where each locus that affects one trait will inevitably affect the other trait, suggesting that the traits are inherently correlated regardless of the type and directions of genetic perturbation. **d.** Horizontal pleiotropy (HP), where a locus can have a direct effect on the two traits. A third cause of genetic correlation is linkage disequilibrium (LD; not shown), where two loci, each determining a trait, are physically so close that they are associated within a population more often.

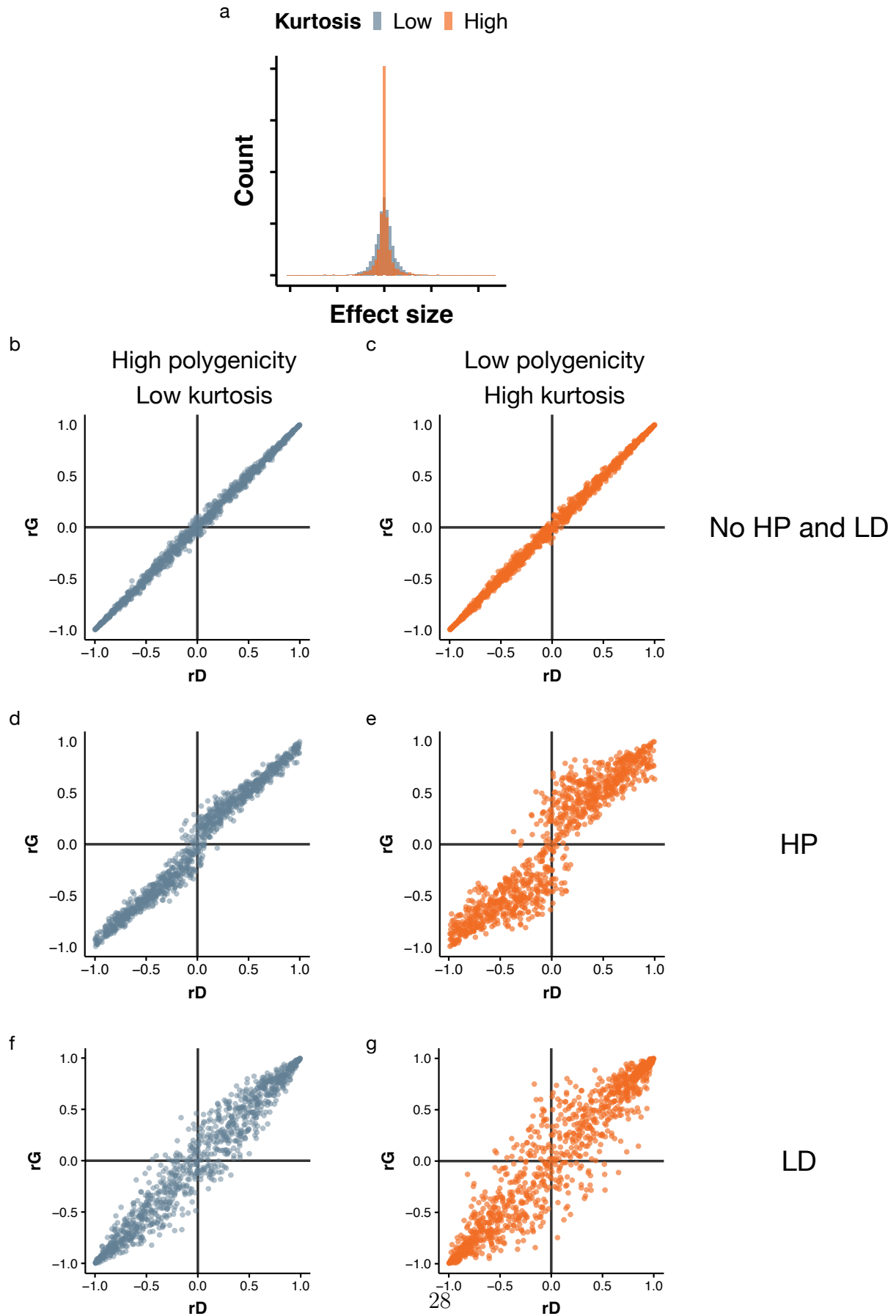


Figure 2: Simulations showing the relationship between developmental bias,  $r_D$ , and genetic correlation,  $r_G$ . We simulated 2,000 pairs of traits using an exponential model, with varying  $\sigma$  among the plots shown.  $\sigma$  describes the correlation of effect size when generating effect sizes for each trait pair. A second parameter of the exponential model,  $\gamma$ , indicates regimes of varying kurtosis of the effect size distribution: large  $\gamma$  represents low kurtosis while smaller  $\gamma$  represents a regime with high kurtosis, as shown in **a.** Two regimes of genetic architecture are considered, with  $\gamma$  equals 1.0 (plots **b.**, **d.**, and **f.**) and 0.5 (plots **c.**, **e.**, and **g.**) Three scenarios are simulated. **b.** and **c.** Under the first scenario, no horizontal pleiotropy (HP) and linkage disequilibrium (LD), the pattern does not change with the kurtosis and  $r_G$  nearly perfectly represents  $r_D$ . **d.** and **e.** Under the second scenario, to introduce HP, 0 to 10 randomly chosen SNP are introduced for each trait pair, with a shared pleiotropic effect for two traits, regardless of the pleiotropic effect of remaining loci. **f.** and **g.** For the third scenario, we used actual genotypes from a yeast mapping population to account for LD, without introducing any horizontal pleiotropic loci. To simulate trait pairs with actual genotype information, effect sizes are first generated, as above, but are propagated through the LD block defined by  $r > 0.5$ . Note that the correlation of effect size is then calculated by excluding those ‘repeated’ loci within LD blocks.

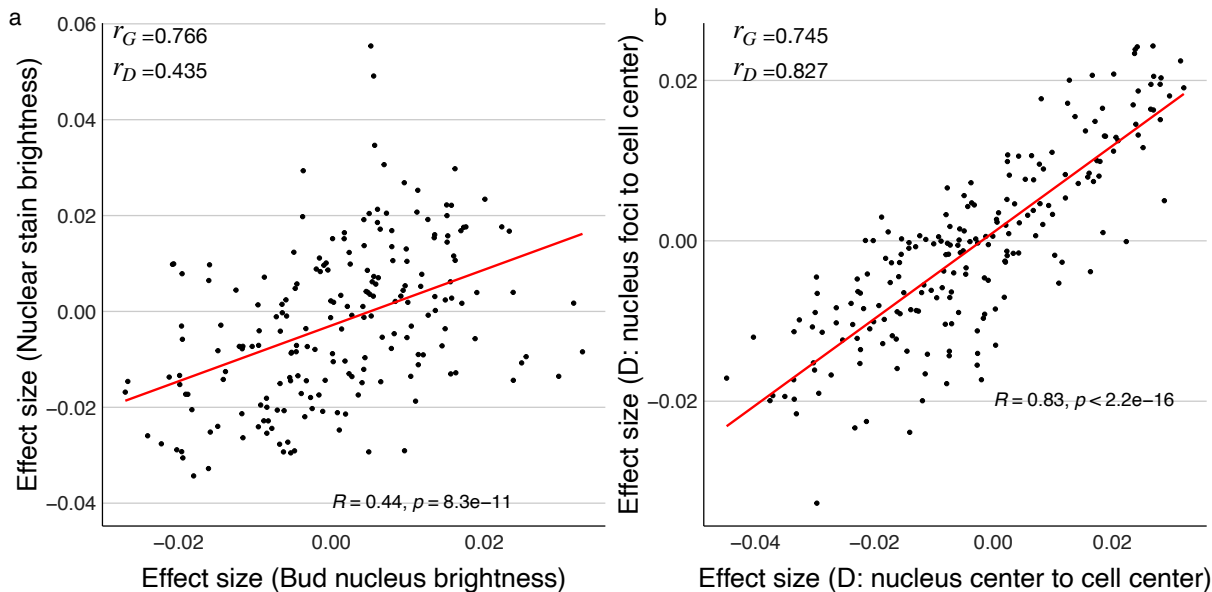


Figure 3: Empirical examples under two scenarios in Fig. 1 demonstrating how estimated  $r_D$  can differentiate two trait pairs with similar  $r_G$  in yeast. These two trait pairs with similar strength of  $r_G$  (0.766 and 0.745) exhibit difference in  $r_D$  (0.435 and 0.827). **a.** The  $r_G$  between nuclear stain brightness and bud nucleus brightness is marginally higher than the **b.**  $r_G$  between nucleus foci-to-cell center and nucleus center-to-cell center. However,  $r_D$  between nuclear stain brightness and bud nucleus brightness is lower than  $r_D$  between nucleus foci to cell center and nucleus center to cell center (0.435 vs 0.827), suggesting a higher developmental bias and inherent correlation between nucleus center-to-cell center and nucleus foci-to-cell center. Each point represents the additive effects for a single locus on each of two traits shown. Data are from (Geiler-Samerotte *et al.*, 2020)

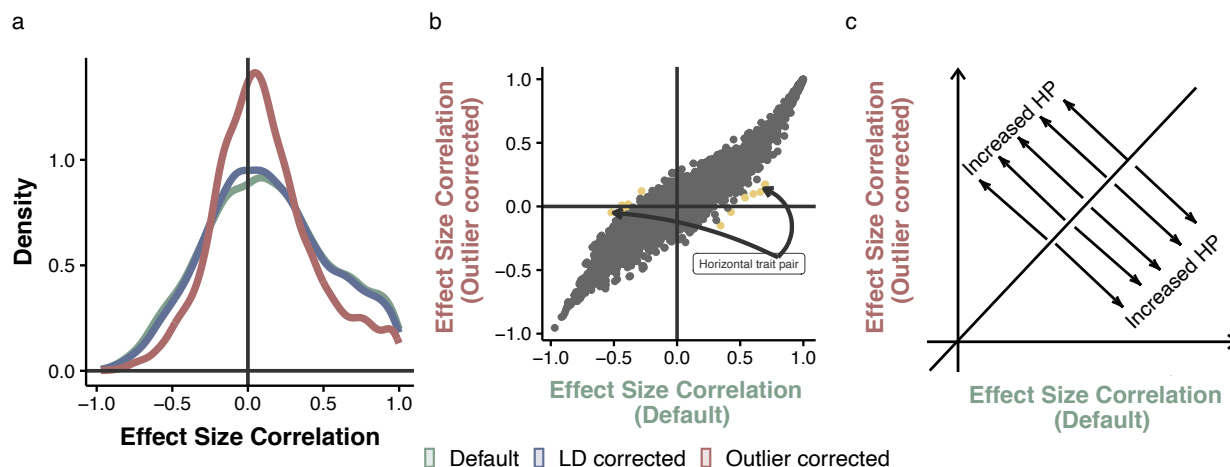


Figure 4: Re-analysis of 374 recombinant strains of yeast cells (Geiler-Samerotte *et al.*, 2020) identifies horizontal pleiotropic trait pair. Each point in **b.** represents a trait pair from this empirical dataset. We consider three settings, summarized in **a.** and **b.**. **a.** Distribution of effect size correlations under three settings. Under the default setting, we included genome-wide markers to calculate correlations of effect sizes. LD pruned results include only the loci to the  $r < 0.5$  within a chromosome. For outlier corrected effect size correlation, we excluded those outlier horizontal loci when calculating the correlation coefficient. **b.** The effect size correlation under default versus outlier corrected settings. Yellow dots denote trait pairs that are significantly affected by outliers correction ( $p$ -value  $< 0.025$ ). **c.** Conceptual figure showing where in the scatterplot **b** trait-trait effect size correlations have more contribution from horizontal pleiotropy.

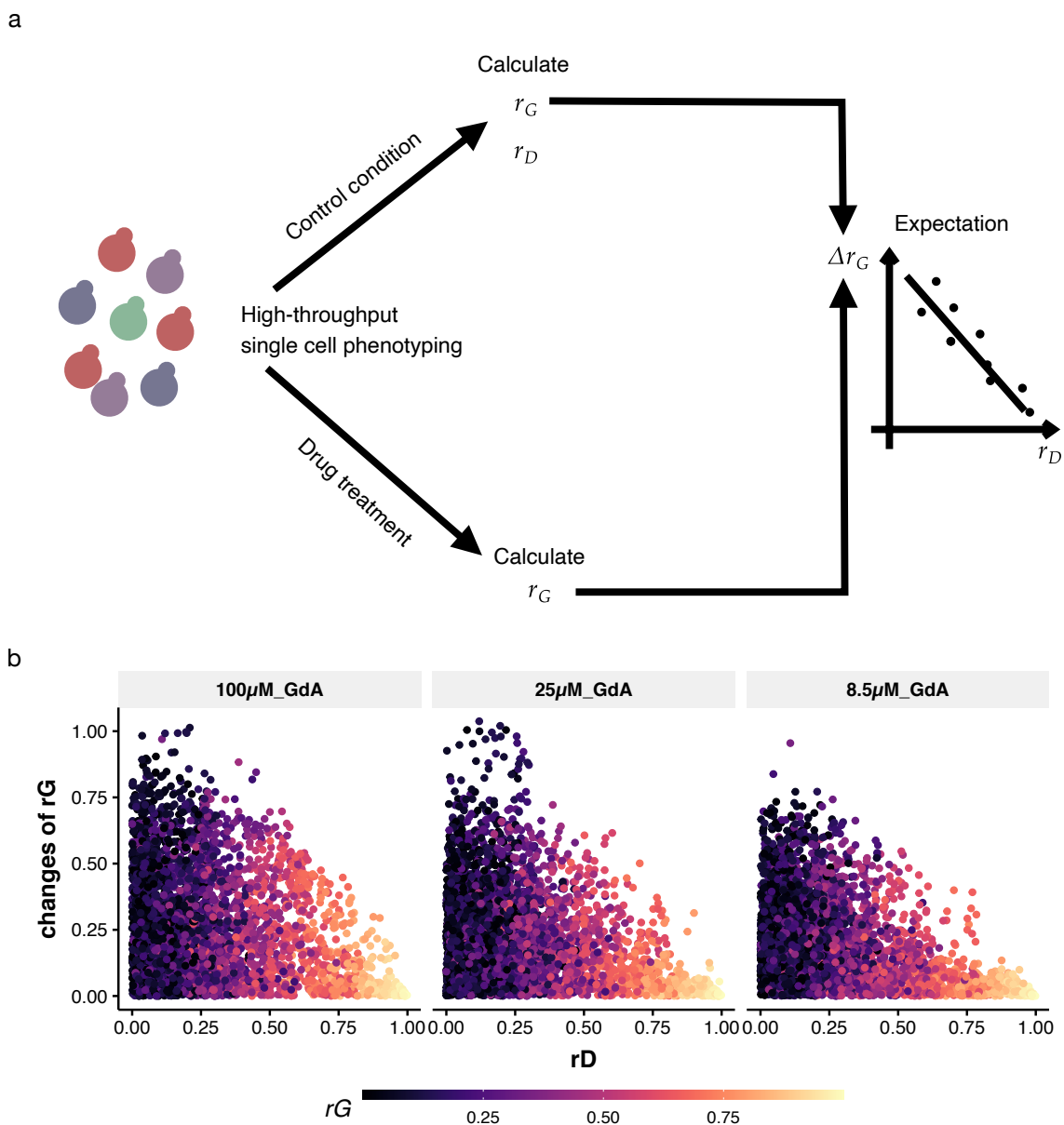


Figure 5: **a** Conceptual representation showing how high  $r_D$  could lead to stability of  $r_G$ . Many morphological traits are measured in a yeast biparental population using single cell phenotyping (Geiler-Samerotte *et al.*, 2020). These data are used to estimate  $r_G$  and  $r_D$  between traits. A subset of the yeast population is subjected to three levels of drug concentrations, representing three environmental conditions, and  $r_G$  is calculated for traits expressed in each of these treatments. We ask whether  $r_D$  is an indicator of  $\Delta r_G$  by using a multivariable linear model:  $\Delta r_G \sim r_D + r_G$ . We include  $r_G$  as a predictor because  $r_G$  itself can reflect its own plasticity. **b**. Scatter plots showing how  $r_G$  plasticity in response to different drug concentration relates to  $r_D$ . The color bar indicates  $r_G$  in control condition.



Table 1: Details of horizontal trait pairs and nearest markers of driver loci

Phenotype1	Phenotype2	rG	rD_outlier_corrected	rD_default	Nearest marker for the biggest outlier
D14.3_A1B	D15.3_A1B	0.458	0.127	0.663	L15.9
D15.3_A1B	D175_A1B	0.447	0.193	0.701	L15.9
D15.3_A1B	D178_A1B	0.448	0.166	0.702	L15.9
D15.3_A1B	D181_A1B	0.372	0.087	0.607	L15.9
C13_C	C103_C	-0.332	0.017	-0.388	L13.7
C13_C	C118_C	-0.087	0.092	-0.29	L13.7
C13_C	D109_C	-0.215	0.017	-0.44	L13.7
C13_C	D131_C	-0.23	-0.055	-0.442	L13.7
D15.1_C	D17.1_C	0.188	-0.052	0.431	L15.9
D15.1_C	D17.2_C	-0.038	-0.023	0.407	L15.9
D15.1_C	D182_C	0.218	0.097	0.529	L15.9
D15.3_C	D17.1_C	0.106	-0.15	0.352	L15.9
D15.3_C	D188_C	0.111	0.096	0.542	L15.9
D17.1_C	D117_C	-0.379	-0.049	-0.523	L15.9
D17.1_C	D169_C	-0.307	0.035	-0.408	L15.9

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# Appendices

## Supplementary Note 1: Distinctions between linkage disequilibrium and tight linkage

Our simulation and analyses account for LD, defined as linkage disequilibrium between markers in a genetic mapping study. Another form of linkage, which is the tight linkage in a genomic context (i.e., perfect linkage, no recombination within pairs of linked loci), is implicitly accounted for when removing major horizontal pleiotropic loci as outliers. We are not able to distinguish between tight linkage and pleiotropy (though these two architectures may differ in maintaining genetic correlation, see Chebib & Guillaume (2021)). These major horizontal pleiotropic loci are either caused by LD within the marker, or by pleiotropy. With respect to distinguishing between LD and horizontal pleiotropy with small effect size loci, polygenic trait correlations have been suggested to be unlikely to arise from chance LD events, as well as several individual horizontal pleiotropic loci (Saltz *et al.*, 2017). Therefore, in essence, our metric dissects the genetic correlation by accounting for allele frequency, linkage equilibrium, as well as horizontal pleiotropy, providing an approach to explore the role of developmental constraint (trait-trait relationship) and vertical pleiotropy (developmental bias in a variant level).

## Supplementary Note 2: Additional dataset exhibit qualitatively similar results with yeast morphology dataset

We analyzed an additional data set consisting of vegetative and floral traits measured in a population of *B. rapa* L. in the field and in a greenhouse (Brock *et al.*, 2010). We present results of this analysis based on outlier corrected subset of variants (LD pruned). Fig. S7 shows  $r_D$  against  $r_G$ . We find that most trait pairs with high  $r_G$  also exhibit high  $r_D$ , as expected since those trait pairs with high  $r_G$  are mostly floral morphological traits, which have long been assumed under developmental integration (Ashman, 1999; Ashman & Majetic, 2006). However, we still found a few exceptions: trait pairs that exhibit low  $r_D$  but high  $r_G$ . Specifically, for instance, petal length and petal width have a  $r_G$  comparable to midpoint length and filament length, petal length and ovary length. However, petal length and petal width have relatively low  $r_D$ . This is in contrast to two other pairs of traits, who exhibit higher  $r_D$ . Notably, very few length traits appear to have significant  $r_G$  with petal width in this dataset (Brock *et al.*, 2010). Juenger *et al.* (2005) also found that, in Arabidopsis, sets of floral organ lengths (petal length, sepal length, long stamen length, pistil length) or organ widths (petal width, sepal width) were highly correlated, while  $r_G$  between length and width measures were generally not significant except petal length - petal width. Therefore, we speculate that, instead of  $r_D$  as a general cause of  $r_G$ , LD or horizontal pleiotropic loci play a critical role in shaping  $r_G$  between floral organ lengths and widths. Furthermore, in line with the analyses of yeast morphological data, traits with higher  $r_D$  tend to be more conserved in their  $r_G$  between conditions: large changes in  $r_G$  are more likely to occur for those pairs with



lower  $r_D$  (Fig. S8 and Fig. S9).

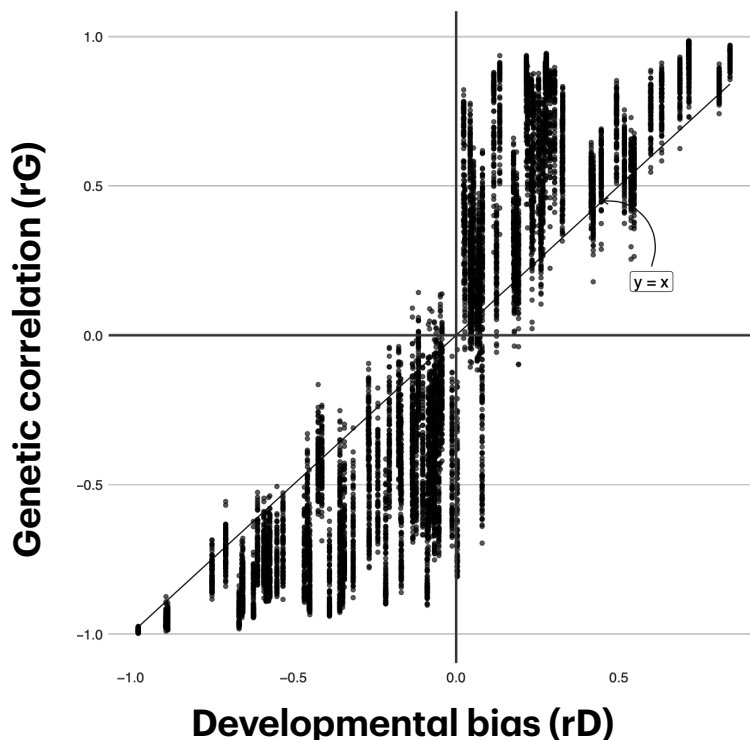


Figure S1: To simulate a pair of traits across populations with different allele frequencies, the additive effects of 1,000 SNPs are simulated using a bivariate normal distribution to generate effect sizes for each locus, with one randomly chosen SNP as a ‘major’ pleiotropic (additive) locus, and 999 SNPs as ‘small’ (additive) effects loci which are sampled from a bivariate normal distribution with  $\mu = (0, 0)$  and  $\Sigma = \begin{bmatrix} 1 & \rho \\ \rho & 1 \end{bmatrix}$ . Here, we use a major concordant model, where the effect of major pleiotropic locus in genetic correlation is concordant with the rest of the loci. Next, genotypes of a 100-individual population are generated 100 times with changing allele frequency. Each time, we calculate the genetic and effect size correlation (note that the effect size correlation remains the same). Then, we vary the covariance of bivariate normal distribution and repeat the above step to exhaustively sample different levels of developmental bias.

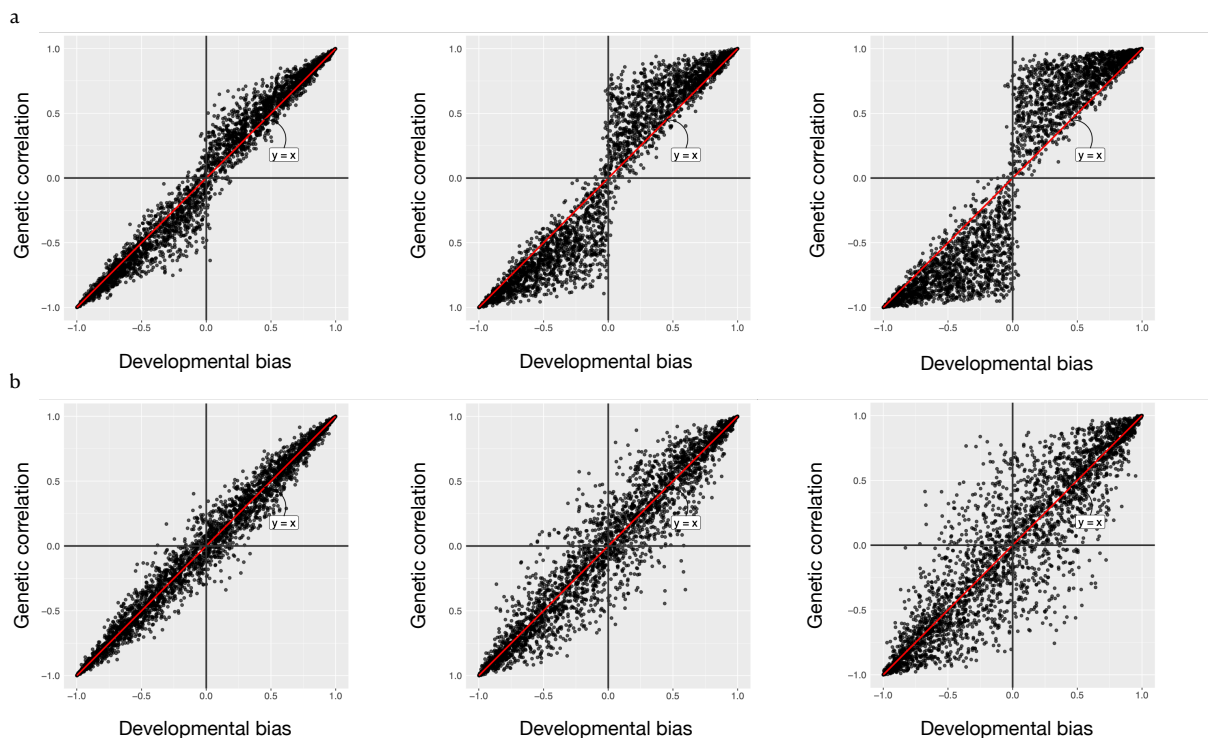


Figure S2: Reproduces the scatter plot between developmental bias ( $r_D$ ) and genetic correlation ( $r_G$ ) in Fig. 2, but here using a bivariate normal distribution to generate effect sizes for each loci. Each point represents a pair of traits. Given a population, we simulated 3,000 pairs of traits using a model under which each trait pair consists of one randomly chosen SNP with a ‘large’ pleiotropic (additive) effect, and 999 SNPs with ‘small’ (additive) effects which are sampled from a bivariate normal distribution with  $\mu = (0, 0)$  and  $\Sigma = \begin{bmatrix} 1 & \rho \\ \rho & 1 \end{bmatrix}$ .  $\rho$  is sampled from a uniform distribution  $(-1, 1)$ . **a.** simulations under a concordant model, where effect of the large pleiotropic loci on genetic correlation is concordant with the rest of genetic background. **b.** simulations without concordant assumption, where large pleiotropic loci has either concordant or antagonistic effect with the genetic background. From left to right, effect size of the large pleiotropic loci increases.

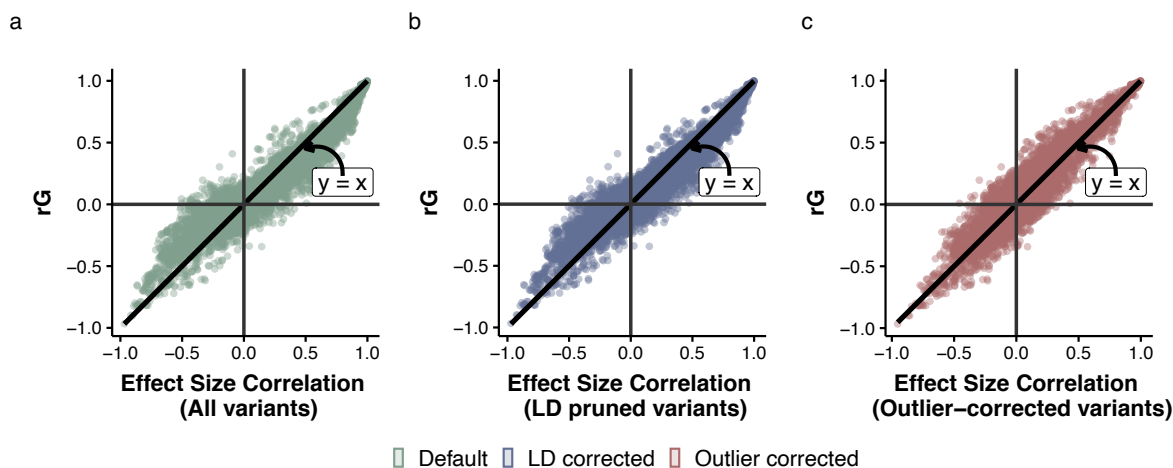


Figure S3: The relationship between  $r_D$  and  $r_G$  from our re-analysis of phenotypes measured in 374 recombinant strains of yeast cells (Geiler-Samerotte *et al.*, 2020). Each dot in the scatter plot represents, for a given pair of traits in the yeast dataset which consists of 167 traits, the correlation of additive effect (on the  $x$  axis) and the genetic correlation ( $r_G$ , on the  $y$  axis). We consider three settings, summarized in Fig. 4. **a.** All loci across the genome. **b.** LD pruned variants. **c.** Outlier corrected variants. In **a.** and **b.**, effect size correlations are stronger than genetic correlations (Wilcoxon signed-rank test,  $p$ -value  $< 2.2e-16$ ). Conversely, in **c.**, effect size correlations are not stronger than genetic correlations (Wilcoxon signed-rank test,  $p$ -value = 0.8875) and the bulk of data are more evenly distributed around the unity line)

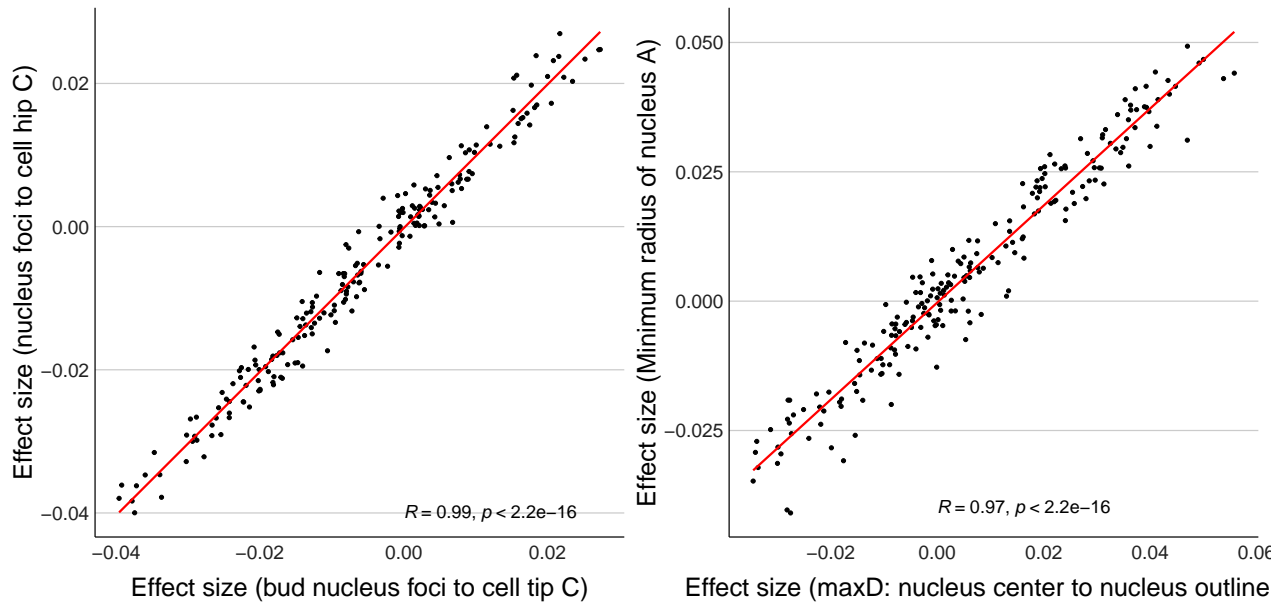


Figure S4: Two example trait pairs in the yeast morphology dataset (Geiler-Samerotte *et al.*, 2020) showing exceptionally strong  $r_D$  between traits. Each point represents additive effect for a single locus. These trait pairs demonstrate strong inherent redundancy.

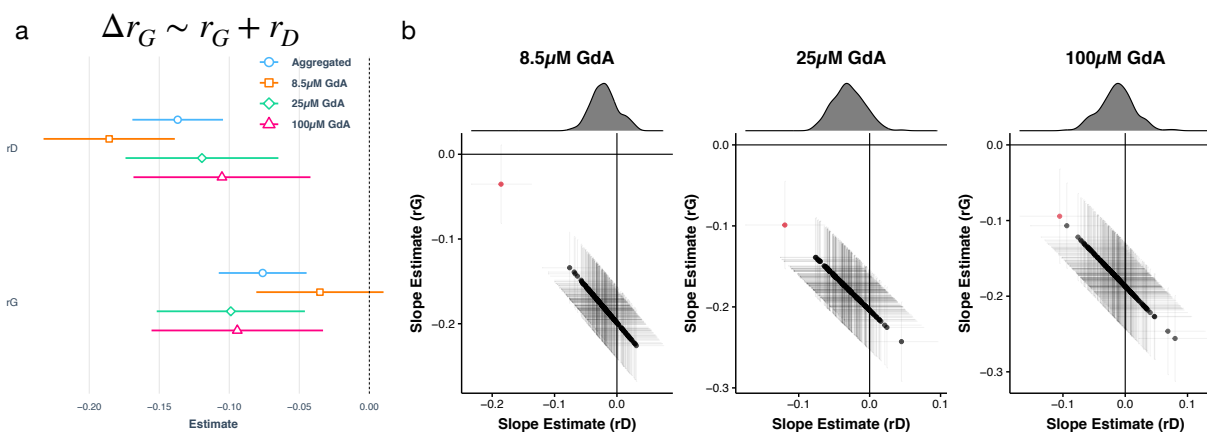


Figure S5: Statistical test showing developmental bias ( $r_D$ ) can predict the changes of genetic correlation ( $r_G$ ). **a** Linear regression results for  $\Delta r_G \sim r_D + r_G$ . Estimates of coefficient and their 95% confidence intervals under four conditions for  $r_D$  and  $r_G$  are shown. The environmental conditions are three concentrations of geldanamycin (GdA) plus an aggregated condition with all three concentration data. GdA is a small-molecule inhibitor that binds the ATP-binding site of the chaperone Hsp90, thus rendering it unable to perform its cellular function. **b** Since  $r_G$  and  $r_D$  are highly correlated, which might cause multi-collinearity problems during regressions, we perform additional analyses by simulating a null model (black dots):  $\Delta r_G \sim r_n + r_G$ , where  $r_n$  is sampled from the bivariate normal distribution with covariance 0.939, conditioning on  $r_G$ . The coefficient estimates of  $r_D$  (red dots) in **b** under all conditions are at the tail of distribution in null expectation towards stronger slope estimates, suggesting  $r_D$  provides additional information in predicting  $\Delta r_G$ .

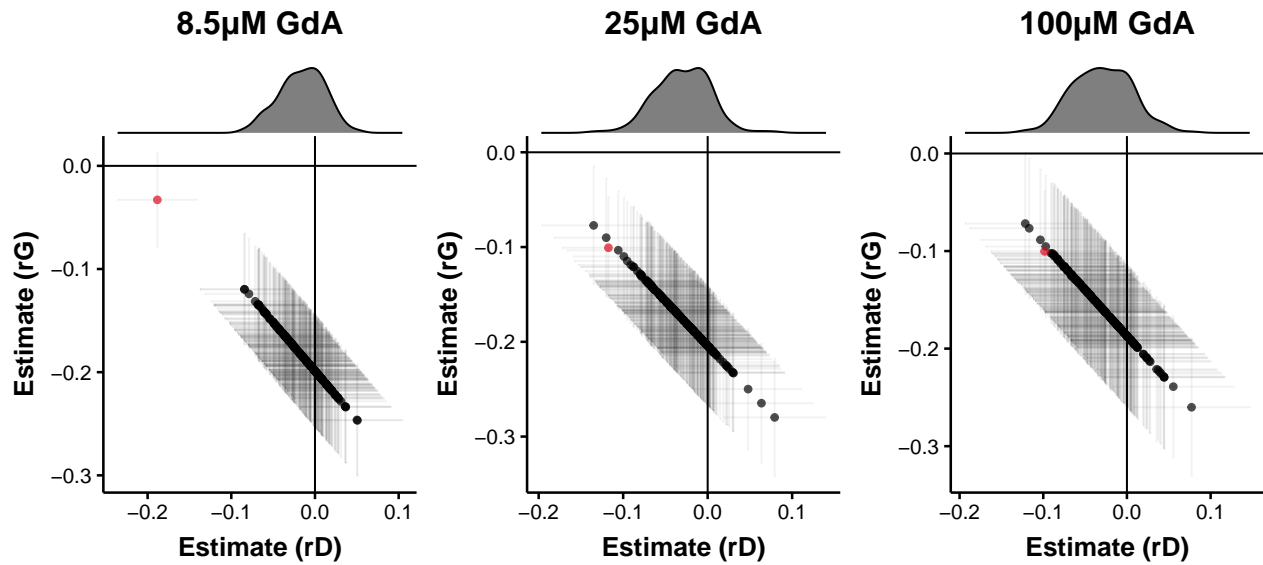


Figure S6: Statistical test showing developmental bias ( $r_D$ ) can predict the changes of genetic correlation ( $r_G$ ), similarly with Fig. S5b. Estimates of coefficient and their 95% confidence intervals under four conditions for  $r_D$  and  $r_G$  in a linear regression  $\Delta r_G \sim r_D + r_G$  are shown in red dots. Since  $r_G$  and  $r_D$  are highly correlated, which might cause multi-collinearity problems during regressions, we perform additional analyses by simulating a null model (black dots):  $\Delta r_G \sim r_n + r_G$ , where  $r_n$  is generated by  $r_G$  with Gaussian noise. Qualitatively similar results with (Fig. S5b) are observed

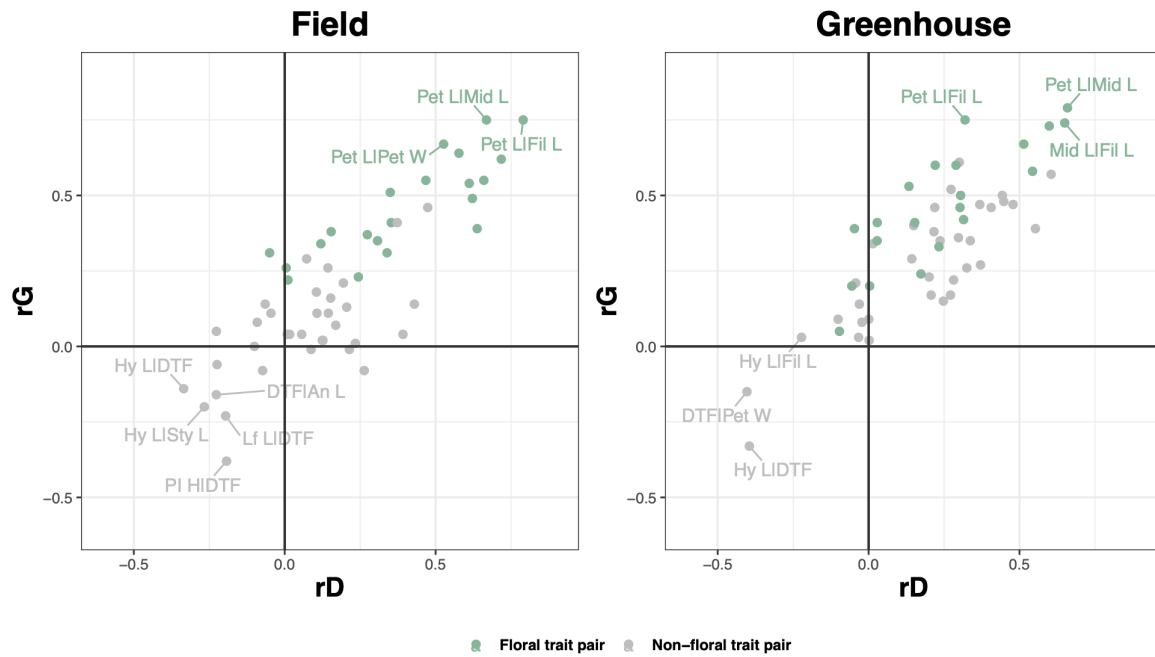


Figure S7: A *Brassica* dataset with 11 floral, vegetative, and phenology traits (Brock *et al.*, 2010) was analysed similarly to Fig. 3, under two environmental conditions (field and greenhouse). The loci used to calculate the effect size correlation are LD pruned and outlier corrected. Green dots denote pairs of traits that are both floral.



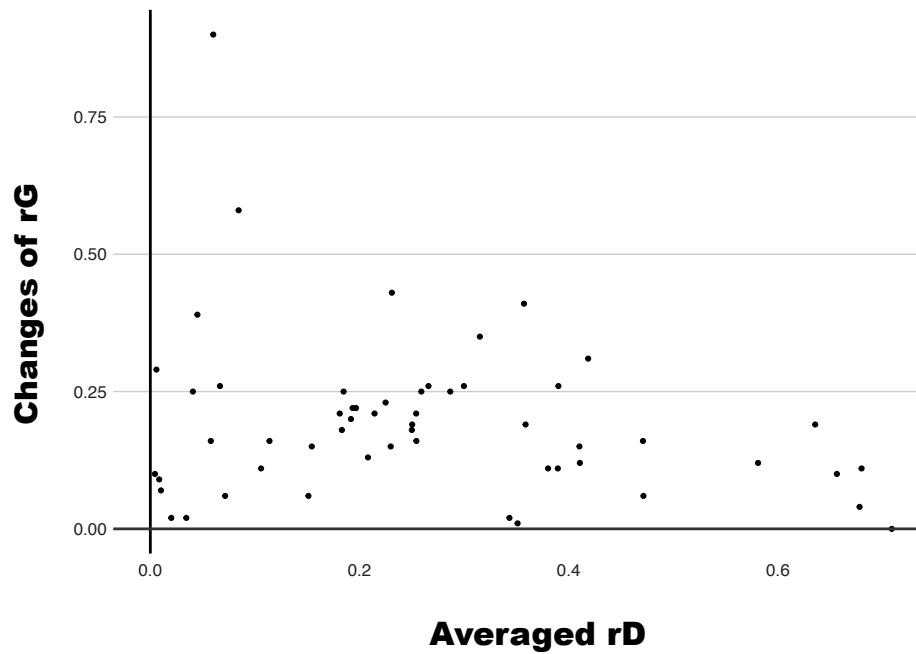


Figure S8: A *Brassica* dataset with 11 floral, vegetative, and phenology traits (Brock *et al.*, 2010) under two environments (field and greenhouse) was analysed. Trait pairs with stronger  $r_D$  exhibit more stable genetic correlations across two environmental conditions. The  $x$  axis is the averaged developmental bias across two environments.  $y$  axis shows the absolute difference of genetic correlation for a given pair.

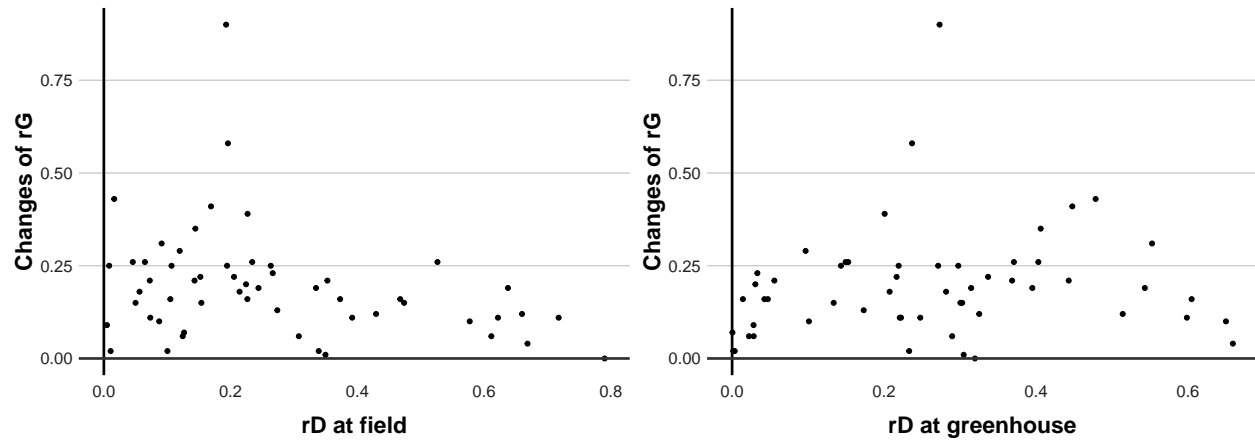


Figure S9: A *Brassica* dataset with 11 floral, vegetative, and phenology traits (Brock *et al.*, 2010) under two environments (field and greenhouse) was analysed. Trait pairs with stronger  $r_D$  exhibit more stable genetic correlations across two environmental conditions. The  $x$  axis is the developmental bias in two environments, respectively.  $y$  axis shows the absolute difference of genetic correlation for a given pair.